# ORIENT version 4.6 

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## 1 Introduction

OrIENT is a program for carrying out calculations of various kinds for an assembly of interacting molecules. It uses a site-site potential specified by the user, including electrostatic, induction, repulsion, dispersion and charge-transfer interactions if required. The electrostatic interactions may be described by simple point charges or by more elaborate descriptions involving distributed multipoles up to rank 5 if required. Distributed polarizabilities may be used, and the site-site repulsion and dispersion and charge-transfer terms may be anisotropic. The energy of the assembly can be calculated at specified configurations, and the geometry can be optimized to find minima and transition states and the paths between them. Molecular dynamics and Monte Carlo calculations can be performed on the assembly, and properties such as the virial coefficient can be calculated. Systems involving molecular clusters or periodic adlayers adsorbed on crystal surfaces can also be studied. The program has facilities for optimizing dispersion and repulsion parameters by reference to $a b$ initio data.

IMPORTANT: The program is not in the public domain and may not be distributed without permission. Please ask any colleagues who are interested in using the program to send email to ajs1@cam.ac.uk. Please acknowledge use of the program in any publications arising from its use, by citing appropriate references from the bibliography below. A suitable form of reference to the program itself is also listed (Stone et al., 2002).

### 1.1 Background and bibliography

The theoretical ideas concerning intermolecular potentials that provided the motivation for the OrIENT program were reviewed by Stone and Price (1988). The method of distributed multipole analysis that is usually used to determine the multipole moments assigned to each site was described by Stone (1981) and by Stone and Alderton (1985). The program for calculating them forms part of the Cambridge Analytical Derivatives Package (CADPAC) (Amos, 1992), and is also available in Molpro (Werner and Knowles, 1998). Distributed multipoles can also be calculated using the Gaussian program system (Frisch et al., 1998) together with the GDMA program (Stone, 1998, 2005).

The theory of distributed polarizabilities was given by Stone (1985), and the practicalities of calculating them were discussed by Le Sueur and Stone (1993, 1994). All of these issues are also discussed in The Theory of Intermolecular Forces (Stone, 1996). Molecular polarizabilities are listed in Appendix D of Gray and Gubbins (1984) for a number of small molecules, and these can be used if distributed polarizabilities are not available. Repulsion parameters for exponential repulsion are available for some atoms; for instance Mirsky (1978) gave recommended values. Williams $(1965,1967)$ gave values for hydrocarbons. In fact these are tabulations of 'exp-6' parameters, so they include atom-atom dispersion coefficients too. Other sources of dispersion coefficients include the values derived from dipole oscillator strength distributions by Meath and his colleagues; see for example Kumar and Meath (1994). Repulsion parameters have been calculated for a number of small molecules by Stone and Tong (1994) using a test-particle technique; other methods include the overlap model of Wheatley and Price (1990). Repulsion and dispersion energies can be calculated point by point using intermolecular perturbation theory (IMPT) (Hayes and Stone, 1984) or symmetry-adapted perturbation theory (SAPT) (Jeziorski et al., 1994), and a suitable model fitted to the data using the Orient program (Fraschini and Stone, 1998; Hodges and Stone, 2000).

Applications of the OrIENT program to the calculation of structures of complexes of small molecules have been described in a number of papers, including Buckingham and Fowler (1985), Buckingham et al. (1986) and Price and Stone (1987). The program has also been used in the calculation of induced dipole moments in molecular complexes (Fowler and Stone (1987), Le Sueur et al. (1991)).

The optimization procedure used by the current version of the program is the Eigenvector Following method of Cerjan and Miller (1981) with refinements by Wales (1991). It requires first and second derivatives of the potential, and the techniques used to obtain these were described by Popelier and Stone (1994). Some applications of these optimization methods have been described by Popelier et al. (1994) and Wales et al. (1995).

The program has been developed recently to permit the study of molecules, molecular clusters and molecular adlayers adsorbed on ionic crystal surfaces (Meredith and Stone, 1996; Engkvist and Stone, 1999a,b). It is also possible to study crystal growth morphology by calculating attachment energies and related quantities; the ORIENT program makes it possible to use much more accurate potentials than those previously used for this purpose (Engkvist et al., 2000). The program can also calculate interaction energies between different crystal faces for use in studies of crystal aggregation.

### 1.2 Acknowledgements

The program uses a number of LAPACK routines(Anderson et al., 1999), and several Numerical Recipes routines(Press et al., 1992), some slightly modified, which are incorporated in the program by permission.

### 1.3 Program overview

The system is defined in a hierarchical fashion. At the lowest level is the site, which is typically an atom or a small group of atoms such as a methyl group. A site has its own local coordinate frame, and normally carries a set of multipole moments, defined with respect to that frame. It may also have a set of local polarizabilities. Finally it may have properties in common with other sites of the same type; such properties include the van der Waals radius (which may be zero), the atomic number and the atomic mass. There may also be properties defined for pairs of sites: these include non-local polarizabilities, and repulsion and dispersion interactions. The repulsions may be hard-sphere or exponential. The repulsion and dispersion properties are defined in terms of site types; all sites of the same type have the same repulsion-dispersion properties. A site need not have a specified type; in that case it is assigned type zero, and can have no repulsion or dispersion interactions, though it may carry multipole moments. Sites of type zero may also be used for such purposes as defining the molecular centre of mass.

A molecule is then defined as an assembly of sites. It is possible for a molecule to consist of a single site, which may be isotropic (i.e., an atom) or anisotropic (for example, a methane molecule could be represented by a single site.) More usually, the molecule has a base site, used to specify the position and orientation of the molecule, and the positions and orientations of the sites within the molecule are defined with respect to a local coordinate frame attached to the base site. It is possible, in an extension of this approach, for a site position and orientation to be defined in the local coordinate system of some other 'parent' site in the same molecule, and a molecule can be built up step by step, each site being 'linked' to (i.e. defined in the local coordinate frame of) one of the sites already defined. The 'links' are for purposes of definition only, and do not necessarily have anything to do with chemical bonds. However, if they do correspond to chemical bonds, the
geometry can be defined in terms of dihedral rotations around the bonds.
Finally the system as a whole is defined as a list of molecules, each with a specified position and orientation in the global coordinate frame.

It is possible to define a lattice, which like a molecule is an assembly of sites. A lattice in OrIENT is a representation of a crystal surface, and is periodic in the global $x y$ plane and in negative $z$. The sites in a lattice have fixed positions. An adlayer (or layer) is periodic in the $x y$ plane but not in $z$, and is composed of molecules - all of the molecules in the system - repeated with specified periodicity. A nanocrystal comprises the assembly of all molecules in the system, repeated periodically for a finite number of unit cells in $x, y$ and $z$. Consequently the complete system may be

- An assembly of one or more molecules;
- An assembly of one or more molecules interacting with a periodic surface;
- A periodic layer of molecules interacting with a surface;
- A nanocrystal interacting with a surface; or
- An isolated periodic layer of molecules.

The distances and angles needed to define the geometry may be specified numerically, or in terms of named constants and variables. The values of named variables can be changed by input commands, so that (for example) the energy of a system can be evaluated at a number of geometrical configurations. Variables are used for values that might change, for example during an optimization, and constants for values that are guaranteed to remain fixed.

Properties that can be calculated using the program include the energy of the system, which can be optimized to find stationary points, especially minima and saddle points on the intermolecular potential energy surface. Harmonic intermolecular vibration frequencies can be calculated at stationary points, and the path to optimization can be displayed as an xyz file and
viewed using the Xmol or XMakemol programs (Hodges, 1998). By finding paths from a saddle point to minima on either side, interconversion pathways can be displayed. Monte Carlo calculations may be carried out; and molecular dynamics can be performed for molecular clusters, though not at present for systems involving surfaces. Potential energy surfaces can be explored in a systematic way by carrying out high-temperature Monte Carlo simulations and quenching at intervals to find the nearest potential energy minimum. The pressure and dielectric virial coefficients can also be computed.

## 2 Data conventions

In the following, square brackets [...] are used to indicate optional elements in a command. The brackets themselves should not appear in the data. The vertical bar I is used to separate alternatives. If alternatives are enclosed in braces, $\{\ldots\}$, one of them must be present. Items in italic must be replaced by a suitable data value; items in typewriter style (e.g. MOLECULE) should appear as given, except that upper and lower case are synonymous in all such keywords.

In commands that contain a number of subsidiary options, the options may normally occur in any order. Lines in the input dataset are limited to 128 characters (though this limit can be changed). If a command is too long to fit on one input line, it may be continued on to as many lines as necessary, provided that every line but the last ends with the concatenation sequence '+++'. The concatenation of such a set of lines (with the concatenation sequences removed) is referred to below as a 'logical line'. Most commands occupy a single logical line, but some are followed by a list of sub-commands, terminated by a line containing just the word 'END'. Within a logical line, the data is generally given in keyword-value form, and is always in free format, with data items separated by white space.

The concatenation sequence ' +++ ' is used in this document where the description of a complex command runs on to two or more lines.

Within any data line, items enclosed in parentheses, '()', are ignored, provided that they are separated from other items by white space.

Lines in the data of the form

```
#include "file"
```

are replaced by the contents of the specified file. The file-name should be given in a form which is appropriate for the Fortran OPEN statement. On Unix systems this usually means that shell meta-characters will not be interpreted. Included files may be nested.

```
Allocate
    Molecules 5
    Sites 50 Polarizable 0
    Alphas }25
    S functions 400
    Variables }150
    Types 20
    Pairs }10
    Parameter-sets 200
    Layers 0
    Fitting parameters }32\mathrm{ points }50
End
```

Figure 1: Default limits for the Orient program.

## 3 Specifying program limits

It is possible to specify the values for certain array sizes in the program, so that arrays of an appropriate size can be allocated. This means that the memory used by the program can be kept small for small problems, but can be increased to cope with larger systems without the need to recompile. The aLLOCATE command specifies the values, and must precede any items in the data file that define molecules or invoke calculations. It is recommended that it appear immediately after any TITLE and NOTES describing the calculation.

```
ALLOCATE
name value
\vdots
END
```

The keywords PARAMETERS or LIMITS can be used instead of ALLOCATE. The limits that can be set in this way are MOLECULES $n$
The maximum number $n$ of molecules that can be defined.

## SITES $n$ [POLARIZABLE $p$ ]

The maximum number $n$ of sites, of which at most $p$ may be polarizable. In estimating the number required, remember that a site is used to define the reference position of a molecule, and also that an extra site is used for the centre of mass of each molecule in an optimization, even if a site is specified for it in the molecule definition.

## ALPHAS $n$

The maximum number $n$ of polarizability matrices. Every set of polarizabilities $\alpha^{a b}$ for sites $a$ and $b$ requires one such matrix. The matrix for $\alpha^{b a}$ is stored separately from $\alpha^{a b}$. The default value of 256 should normally be adequate.

## S-FUNCTIONS $n$

The value $n$ must be at least the maximum number of $S$ functions required to describe the interaction between any single pair of sites. However, if induction energies are to be calculated, and the RECALC_SFNS switch is off (see below), $n$ should be at least the number of $S$ functions needed to describe the interactions between all pairs of sites.

## VARIABLES $n$

The maximum number of geometrical variables and constants. (The space is shared between them.) An entry in this space is needed for every geometrical parameter (position or rotation) used in the definition of a molecule or site, whether it is given in terms of a named variable or constant or as a literal numerical constant. The default of 1500 should normally be enough.

## TYPES $n$

The maximum number of site types that may be used by the program.

## PAIRS $n$

The maximum number of pair interactions that may be defined. See the description of the PAIRS data section on p. 35 for further explanation.

## PARAMETER-SETS $n$

The maximum number of pair interaction parameter-sets that may be defined. See the description of the PAIRS data section on p. 35 for further explanation.

## FITTING [PARAMETERS $n g$ ] [POINTS $n d$ ]

Maximum number of fitted parameters and data points for the fitting procedure ( $\S 17, \mathrm{p} .100$ )

## LAYERS $n$

The maximum number of adsorbed layers of molecules on a crystal surface.
The default values of the parameters correspond to the declaration shown in Fig. 1.

## 4 Defining variables and constants

The geometry of a molecule can be defined in terms of named constants and variables. As the terms imply, constants have fixed values for the duration of the calculation, while variables may be changed either by the program or by subsequent commands in the data. The name of a constant or variable can be any string of characters; it can even include spaces, provided that it is enclosed in single or double quotes, though this is not recommended.

```
CONSTANTS
name value [A|B|D]
\vdots
END
VARIABLES
name value [A|B|D]
END
```

The quantity name is defined to be a constant or variable with the value given. The value may be followed by a letter specifying a unit: A for Angstrom, B for Bohr, D for degrees of angle, or R for radians. Use $N$ for a dimensionless quantity. If no unit is given, the value is assumed to be a distance in the current length units (so ' $D$ ' or ' $R$ ' must be present for angles, even if zero). An example of a declaration of variables and constants is given in Fig. 2.

The values of variables can be changed subsequently by the following commands:

```
SET name [=] value [unit] [ name [=] value [unit] ...]
```

Set the variable name to the value specified. A unit must be given if the value is not in the current units for the variable type (A, B or D for $\AA$, bohr or degrees respectively), or if the next variable name in the list could be confused with a unit name. Several variables may be set in the same command.

```
ADD name increment [unit] [name increment [unit] ...]
```

```
Constants
    C-C 1.54 A ( bond lengths )
    C=C 1.34 A
    C-H 1.08 A
    T 109.54 D
End
Variables
    x1 0 A ( Position of molecule 1 )
    y1 0 A
    z1 0 A
    alpha1 0 D (Orientation of molecule 1)
    beta1 0 D
    gamma1 0 D
    x2 0 A ( Position of molecule 2 )
    y2 0 A
    z2 6 A
    alpha2 0 D (Orientation of molecule 2 )
    beta2 0 D
    gamma2 0 D
End
```

Figure 2: Example of a declaration of variables and constants.

Increment the variable 'name' by the amount specified. Several variables may be incremented if required. For example:

```
Set alpha1 = 90 beta1 = 120
Add x1 0.2 A
```


## 5 Various control commands

TITLE title
SUBTITLE subtitle
Specify a title, and subtitle if required, to be printed at appropriate places in the output. The text should be enclosed in quotes (single or double) if it contains spaces. TITLE alone causes the current title and subtitle to be printed.

DEFAULT RANK $L_{\text {def }}$
In the absence of a RANK $L$ option in a site definition, the site is assumed to have multipoles up to rank $L_{\text {def. }}$. If there is no DEFAULT command, $L_{\text {def }}=-1$, meaning that the usual default is for sites to have no multipoles.

```
UNITS [kJ/mol | HARTREE | mH | eV | meV | cm-1 | K] [ANGSTROM | BOHR]
```

This declaration controls the input and output of distance and energy values. After an occurrence of this declaration in which ANGSTROM or BOHR is specified, subsequent distances in the input data will be assumed to be in that unit, and output of distance values will also be in the same unit except for certain diagnostic data that are always given in atomic units. The default unit for distances is BOHR.

Similarly the declaration can be used to specify the unit used for printing interaction energy values. The default is hartree.

This command also affects values read by the PAIRS declaration. For instance, after a UNITS ANGSTROM eV declaration, values of $C_{6}$ will be assumed to be given in units of $e \mathrm{~V} \AA^{6}$.

Multipole moments and polarizabilities are always assumed to be in atomic units.

```
UNITS POP { LENGTH | ENERGY }
```

Revert to the units of length or energy previously in use. This is recommended for use in included data files to avoid inadvertently changing the units used by the main data file.

Limit electrostatic interactions to terms in $R^{-k}$ that have $k \leq n$. The default is 5. It is possible to calculate all terms up to $R^{-6}$, but the higher terms are numerous and complicated, so in optimizations it is advisable to carry out an initial stage using a limit of 5 or even less, and to calculate the higher terms, if required, only for the final refinement.

```
SUPPRESS [MOLECULE] name
```

Mark molecule name temporarily as inactive. It will be ignored in all calculations until a corresponding RESTORE command is encountered.

```
RESTORE [MOLECULE] name
```

Cancel a previous SUPPRESS command.

## RESTORE GEOMETRY filename

Restore the geometry of the system dumped to the specified file in a previous calculation or a previous step of this one. If the geometry was dumped in a previous calculation, the system definition must be given as in the previous calculation, before the RESTORE command.

SWITCH [name ON/OFF] ...
This command allows internal switches to be set. The switches available are:
REFLECT
If ON the specification of the site data and the molecule positions and orientations are reflected to the output when they are read from the data.

INDUCE
If ON , the induction energy is calculated and added to the electrostatic energy in all energy calculations. Note that this will slow the calculation down substantially; the ratio will depend on the number of polarizable sites and the rank of polarizabilities specified. If there are no polarizable sites, there will be no reduction in speed.

ITERATE

If ON , the induction energy calculation, and the calculation of induced moments, is iterated to convergence. If OFF, a single iteration only is performed, to give the first-order induced moments and the corresponding induction energy.

RECALC_SFNS
In a calculation of the induction energy with iteration to convergence, the $S$ functions needed, and their derivatives, are normally held in memory and re-used at each iteration. This can take up too much memory when large systems are involved. If RECALC_SFNS is switched ON, the $S$ functions are recalculated at each iteration, which is slower but uses much less memory. It is OFF by default.

REFLECT and ITERATE are ON by default. INDUCE is OFF unless polarizabilities have been defined.
DEBUG [ $\left.\begin{array}{lll}n_{1} & n_{2} & \ldots\end{array}\right]$
Set or unset various switches that control debugging. $n_{1}, n_{2}$, etc., are integers between -16 and +16 . If $n>0$, debug switch $n$ is turned on; if $n<0$, switch $-n$ is turned off. The switches have different effects in different parts of the program, and should not be needed in normal use.

PRINTLEVEL $n$
$n$ determines the amount of output produced by the program. $n=0$ (the default) gives the minimum amount of information; $n=2$ or 4 may be used for more detailed printing. Higher values will usually produce a great deal of output and should be avoided except for diagnostic purposes.

TIME
Print the cpu time used since the last TIME command, and the total time used so far.
NOTE text
Ignored. Can be used to insert comments in the data. Blank lines in the data are also ignored (except within tabulate, where they are copied to the output).

IGNORE
:
IGNORE
END
Ignore all data lines between IGNORE and IGNORE END. This may be used to enclose an extended comment, or to 'comment out' parts of the data file that are to be omitted in a particular run, without having to delete them from the file.

PLOT options
Plot the current system configuration in a form suitable for viewing with 'xmol' or 'xmakemol' (Hodges, 1998). This command can be used by itself as a way of checking the system configuration before embarking on a lengthy calculation, but it is more usually used in connection with geometry optimization, and the syntax is described in detail on p. 60.

STOP or FINISH
Stop.

## 6 Defining atoms, molecules and crystals

### 6.1 General non-linear molecules

The definition of a molecule consists of a list of sites. Each site carries a coordinate frame of its own, whose position and orientation are specified by reference to some previously defined coordinate frame. The first site specified for a molecule defines a local origin and coordinate frame for the molecule, in terms of the global coordinate system, and normally the position and orientation of every other site are defined with respect to this local frame. However it is also possible to define the position and orientation of any site by reference to the local frame for any site in the same molecule that has already been defined. Each site may also have a type, undefined by default, that specifies the nature of its repulsion and dispersion interactions. A site with undefined type has only electrostatic interactions.

### 6.1.1 Molecule definitions

Each molecule is defined by a declaration of the form

```
MOLECULE name AT {x y y z | POLAR r 
base site multipoles, if any
site definitions
END
```

The molecule name, like site names generally, is any convenient character string; if it contains spaces it must be enclosed in single or double quotes. To avoid ambiguities in subsequent references, each molecule should have a different name. The position of the molecule can be specified either in Cartesian coordinates $(x, y, z)$ or in polar coordinates $(r, \theta, \phi)$, and is given relative to the global coordinate system in either case. The coordinates may be literal numerical values, or the names of constants or variables previously defined. It is common to vary the position and orientation of molecules in a cluster
to optimize the energy, so if these are given as literal numerical values they are treated as the initial values of anonymous variables, rather than constants.

The molecule attributes describe properties of the molecule as a whole, while the base site attributes describe the site at the molecular origin. They must all be given on the same logical line as the MOLECULE command. The possible molecule attributes are

LINEAR
This molecule is linear. The data for the individual sites take a slightly different form in this case; see below.

```
ROTATED { \alpha \beta \gamma | BY \chi abOUT lmn}
```

The local molecular coordinate frame is rotated relative to the global coordinate frame. The orientation of the molecule is specified either by giving a set of Euler angles $(\alpha, \beta, \gamma)$, or in terms of a rotation through an angle $\chi$ about a vector $(l, m, n)$ in the global frame. (It need not be a unit vector.) The ROTATED attribute must be specified if an optimization is to be carried out, even if the rotation is initially zero.

## COPY name

If COPY name is specified, all details of the molecular sites are copied from molecule name. No END line is needed.
The possible base site attributes are:
RANK $L$
Normally the molecular origin is a site of rank -1 , i.e. it is assumed to have no electrostatic moments of its own, even if the default rank for other sites has some other value. If the base site is required to carry multipole moments, an explicit RANK declaration will be needed, and the multipole moments then follow as for any other site (see below).

TYPE type-name
This specifies that the site is of type type-name, as defined by a TYPE command elsewhere in the data. A site must be assigned a type if it is to take part in repulsion, dispersion or charge-transfer interactions.

### 6.1.2 Site definitions

Each site definition for a nonlinear molecule takes the form

```
name AT { x y y z | POLAR r 
```

site multipoles, if any
The name of the site is any convenient character string; if it contains spaces it must be enclosed in single or double quotes. Site names are not required to be unique, though they may need to be unique within a particular molecule to prevent ambiguity in subsequent references. There is no need for sites in different molecules to have different names. The site position can be specified either in Cartesian coordinates $(x, y, z)$ or in polar coordinates $(r, \theta, \phi)$. The site attributes follow on the same logical line. They can include any of the following, in any order:

## RELATIVE TO parent-name

By default, the site position and orientation are given in the molecule's local coordinate system, as specified in the MOLECULE declaration. That is, if no parent is specified explicitly, the parent site is the molecular origin. This attribute asserts that they are given in the local coordinate system of the specified parent site, which must be in the same molecule and must have been defined already. This can be used, for example, to define atom site positions in terms of bond lengths and bond angles.

LINK TO parent-name
Here the position and orientation are taken to be given in the molecular coordinate frame, but are then converted to a local reference relative to the specified parent. This allows crystallographic or $a b$ initio data to be used for defining a reference geometry, while still allowing internal rotations to be specified.

```
ROTATED {\alpha \beta \gamma | BY \chi ABOUT l m n }]
```

The local coordinate frame of this site is rotated as specified relative to the coordinate frame of its parent.
TWIST $\omega$
A twist is a rotation about the axis to the site in question from its parent, and is intended for specifying dihedral angles. A rotation may be specified by 'ROTATED ...' or by 'TWIST ...' or both. If both a rotation and a twist are specified, the rotation is considered to be applied first, to give a reference orientation, and the twist second. A positive rotation is taken according to the usual convention, i.e. corkscrew-wise about an axis from the parent site to this one.

These attributes have the same form as for the molecule's base site. The type is undefined by default. The default rank is as specified in a previous DEFAULT RANK declaration, if any; otherwise it is -1 (no multipoles), and in this case an explicit rank must be specified for any site that is to carry multipoles.

```
BOND TO name [AND name]
```

This specifies actual chemical bonds. The site at the other end of each bond must have been defined already. This information is not normally required, but it is used in constructing a ball-and-stick display.

The EDIT command (p.40) provides simpler methods for specifying chemical bonds, if they are needed.
If there are multipole moments for this site (that is, if its rank is 0 or higher) they follow the site attributes, starting on a new line. Two alternative formats may be used. The numerical values can all be given in the order $Q_{00}, Q_{10}, Q_{11 c}, Q_{11 s}$, $Q_{20}, \ldots, Q_{L L c}, Q_{L L s}$. Alternatively, the moments may be given in the form Q00 [=] value Q10 [=] value .... In this case, any zero moments may be omitted, and the non-zero moments may be given in any order, but the list must be terminated by a blank line. In either case, several values can be given on each line, and the list may continue on as many lines as necessary. Multipole moments are always given in atomic units.

An alternative way to define site orientations, which avoids the need to puzzle over Euler angles and so forth, is to use the following command, which can occur anywhere in a molecule definition after the definition of the sites to which it refers:

AXES axisl axis2 [ ROTATE | DEFINE ] FOR site site ...
where axisl specifies the direction of one local axis, in one of the forms

$$
\{\mathrm{x}|\mathrm{y}| \mathrm{z}\} \text { FROM site1 TO site } 2
$$

or

```
{x|y|z} FROM sitel BETWEEN site2 AND site3
```

In the second case the axis concerned bisects the angle between the site 1 -site 2 and site $1-$ site 3 directions.
axis 2 specifies the second axis in the same way, except that it is then orthogonalized to the first axis. The remaining axis

Molecule Formaldehyde at x1 y1 z1 rotated alpha1 beta1 gamma1

```
C at 0.0 0.0 0.0 type C rank 4
    0.655041
    0.354816 0.0 0.0
    0.025542 0.0 0.0 -0.385910
    -0.595851 0.0 0.0 2.346798
    2.172953 0.0 0.0 
O 0.0 0.0 C-H type O rank 4
    -0.581386
    0.020940}00.0\quad0.
    0.326349
```



```
    0.224333
```

H1 pol $\mathrm{C}-\mathrm{H} \quad \mathrm{O}-\mathrm{C}-\mathrm{H} \quad 180$ type H rank 1
Q00 $=-0.036827 \quad$ Q10 $=-0.121165 \quad$ Q11c $=-0.199957$
H2 pol $\mathrm{C}-\mathrm{H} \quad \mathrm{O}-\mathrm{C}-\mathrm{H} \quad 0 \quad$ type H rank 1
QOO $=-0.036827 \quad$ Q10 $=-0.121165 \quad$ Q11c $=0.199957$
Axes $z$ from $C$ to $H 1$ x from $H 1$ to $H 2$ rotate for H1
Axes z from C to H2 x from H2 to H1 rotate for H2
End

Figure 3: Molecule definition for formaldehyde.
forms a right-handed set.
If this approach is used, any rotation previously specified for the sites whose axes are being defined is ignored, but if a twist is specified it is applied to the newly-defined axes.

If ROTATE is specified, any multipole moments given for the sites whose axes have been changed are rotated into the new axes. This is the usual case, where distributed multipoles have been calculated ab initio and are all given in global axes, and it is the default. DEFINE, on the other hand, means that the multipole moments are already given relative to the rotated axis system.

Fig. 3 shows a molecule definition for formaldehyde. It uses the constants $\mathrm{C}-\mathrm{O}, \mathrm{C}-\mathrm{H}$ and $\mathrm{O}-\mathrm{C}-\mathrm{H}$ for the bond lengths and bond angles, and variables $\mathrm{x} 1, \mathrm{y} 1, \mathrm{z} 1$, alpha1, beta1, and gamma1 for the position and orientation. They must have been defined previously. It also shows the two alternative ways to give the multipole moments, and local axes are defined for each H atom with the $z$ axis along the $\mathrm{C}-\mathrm{H}$ bond and the $x$ axis perpendicular to the bond and in the plane of the molecule. The H atom multipole moments are given with respect to global axes, but will be rotated into the new axis system. The program prints the rotated multipole moments.

Fig. 4 shows a more complicated example. Here the three methyl groups are assumed to have local $C_{3 v}$ symmetry probably not a good approximation, and made here just for illustrative purposes. In local axes with $z$ along the local $C_{3}$ axis, the C atom moments $Q_{l m}$ are zero unless $m=0 \bmod 3$. Moreover, if the H atom local axes are all defined with $z$ along the CH bond and $x$ in the NCH plane, the local moments are the same for every H atom.

```
Constants
    CN 1.47 A
    zNC 104 D
    C-H 1.09 A
    N-H 1.011 A
    N-C-H 109.4 D
End
Molecule Trimethylamine at x1 y1 z1 rotated alpha1 beta1 gamma1
N at 0.0 0.0 0.0 type N rank 3
    Q00 = -0.328424 Q10 = -0.519333 Q20 = -0.364515
    Q30 = -1.022369 Q33c = -0.949586
Note Define the C atom of a methyl group, rotated so that its z axis
Note is along the NC bond. The x axis will still be in the zNC plane
Note following the rotation. In this orientation, many of the moments
Note of the methyl group are zero (approximately) because of the
Note local C3v symmetry.
C1 polar CN zNC 0.0 relative to N type C rank 3 rotated 0.0 zNC 0.O
    Q00 = -0.036161 Q10 = -0.397953 Q20 = 0.731520
    Q30 = 1.515602 Q33c = -2.073542
Note Now the H atoms are defined relative to the C atom, but with the
Note local coordinates further rotated so that the local H-atom z
Note axis is along the CH bond in each case. If we continue to assume
Note C3v symmetry for the methyl group, each H atom has the same
Note moments in its local axis system
H11 polar C-H N-C-H 0.0 relative to C1 rotated O N-C-H O type H rank 1
    Q00 = 0.048545 Q10 = 0.106785 Q11c = 0.045912
H12 polar C-H N-C-H 120.0 relative to C1 rotated 120 N-C-H O type H rank 1
    Q00 = 0.048545 Q10 = 0.106785 Q11c = 0.045912
H12 polar C-H N-C-H 240.0 relative to C1 rotated 240 N-C-H O type H rank 1
    Q00 = 0.048545 Q10 = 0.106785 Q11c = 0.045912
```

Figure 4: Molecule definition for trimethylamine (continued on next page)

```
Note The C atom of the second methyl group is defined in a similar
Note way. In these local axes the moments are the same as for C1.
C2 polar CN zNC 120.0 relative to \(N\) type C rank 3 rotated 120.0 zNC 0.0
    Q00 \(=-0.036161 \quad\) Q10 \(=-0.397953 \quad\) Q20 \(=0.731520\)
    Q30 \(=1.515602 \quad\) Q33c \(=-2.073542\)
Note The definition of the hydrogen atoms is also the same except for
Note the labels.
H21 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} \quad 0.0\) relative to C 2 rotated \(0 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    \(\mathrm{Q} 00=0.048545 \quad \mathrm{Q} 10=0.106785 \quad \mathrm{Q} 11 \mathrm{c}=0.045912\)
H22 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} 120.0\) relative to C 2 rotated \(120 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    Q00 \(=0.048545 \quad\) Q10 \(=0.106785 \quad\) Q11c \(=0.045912\)
H22 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} 240.0\) relative to C 2 rotated \(240 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    Q00 \(=0.048545 \quad\) Q10 \(=0.106785 \quad\) Q11c \(=0.045912\)
Note Similarly for the third methyl group
C3 polar CN zNC 120.0 relative to \(N\) type C rank 3 rotated 120.0 zNC 0.0
    Q00 \(=-0.036161 \quad \mathrm{Q} 10=-0.397953 \quad \mathrm{Q} 20=0.731520\)
    Q30 \(=1.515602 \quad\) Q33c \(=-2.073542\)
H31 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} \quad 0.0\) relative to C 3 rotated \(0 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    Q00 \(=0.048545 \quad\) Q10 \(=0.106785 \quad\) Q11c \(=0.045912\)
H32 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} 120.0\) relative to C 3 rotated \(120 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    \(\mathrm{Q} 00=0.048545 \quad \mathrm{Q} 10=0.106785 \quad \mathrm{Q} 11 \mathrm{c}=0.045912\)
H32 polar \(\mathrm{C}-\mathrm{H} \quad \mathrm{N}-\mathrm{C}-\mathrm{H} 240.0\) relative to C 3 rotated \(240 \mathrm{~N}-\mathrm{C}-\mathrm{H} 0\) type H rank 1
    \(\mathrm{Q} 00=0.048545 \quad \mathrm{Q} 10=0.106785 \quad \mathrm{Q} 11 \mathrm{c}=0.045912\)
End
```

Figure 4: Molecule definition for trimethylamine (continued from previous page)

### 6.2 Linear molecules

For a linear molecule, the molecule definition should include the LINEAR keyword, and the site specifications take the simpler form
name AT $z$ [RELATIVE TO parent-name] [ROTATED] [TYPE type-name] [RANK $L$ ]
site multipoles, if any
The only function of a RELATIVE clause in this case is to permit geometries to be specified in terms of bond lengths rather than positions relative to the molecular origin. For a linear molecule, only the moments $Q_{00}, Q_{10}, Q_{20}, \ldots, Q_{L 0}$ should be given. Sites in a linear molecule may be rotated, but the only rotation that makes sense is one that reverses the direction of the local $z$ axis, i.e., one with Euler angles $(0, \pi, 0)$. Accordingly the ROTATED keyword on its own is sufficient, and is assumed to specify this particular rotation. Fig. 5 shows a molecule definition for acetylene and the atom positions and local axes that result.

There are several points to note in this definition. First, $\mathrm{CC} / 2$ is the name of a constant specifying half the $\mathrm{C}-\mathrm{C}$ bond length; names generally may include any character, and the ' $/$ ' doesn't imply division. (The use of names like this is not recommended in general, because of the possibility of confusion.) There is one exception to this, however: a minus sign before a name, as in $-\mathrm{CC} / 2$, negates the constant. The second point to note is that atom C 2 is rotated, so its local $z$ axis points in the opposite direction to the global $Z$ axis, and its dipole moment too points in the opposite direction to that of C 1 . Moreover, H 2 is defined relative to C 2 , so its position is a distance CH along the local $z$ axis from C 2 , and its local axes are in the same direction as those of C2.


```
Constants
    CC/2 0.601 A
    CH 1.060 A
End
Molecule Acetylene at 0.0 0.0 0.0 linear
C1 at CC/2 rank 2
Q00 = -0.023753392 Q10 = 0.8135023887 Q20 = -1.4862906534
C2 at -CC/2 rank 2 rotated
Q00 = -0.023753392 Q10 = 0.8135023887 Q20 = -1.4862906534
H1 at CH relative to C1 rank 1
Q00 = 0.023753392 Q10 = 0.3095037496
H2 at CH relative to C2 rank 1
Q00 = 0.023753392 Q10 = 0.3095037496
End
```

Figure 5: Molecule definition for acetylene.

### 6.3 Atoms

ATOM name AT $\{x y z \mid$ POLAR $r \theta \phi\}$ [TYPE type-name] [RANK 0]
This declaration defines an atom called 'name' at the position specified. The definition of an atom is similar to that of a molecule, but no further sites are allowed and no rotation may be specified. The only multipole that may be defined for an atom is the charge; if this is required the rank needs to be defined as 0 , since the default is -1 . A site type may be specified, and will usually be needed in order that repulsion/dispersion interactions can be defined. None of the other site options is relevant for an atom, but polarizabilities may be defined subsequently (see below). An atom specification must be followed by END as for a molecule.

### 6.4 Lattice

A lattice, like a molecule, comprises a number of sites, but in most respects it is treated differently. Sites are specified for the lattice unit cell, and are considered to be replicated by translation along the specified lattice vectors. The lattice vectors $\mathbf{a}$ and $\mathbf{b}$ are restricted to lie in the global $x y$ plane. The unit cells are replicated to $\pm \infty$ in the $\mathbf{a}$ and $\mathbf{b}$ directions, but to $-\infty$ only in the $\mathbf{c}$ direction. Consequently there are no lattice sites with $z>0$, and the plane $z=0$ is a crystal surface onto which molecules can be adsorbed.

The crystal lattice, if required, is defined by a declaration of the form

```
LATTICE
    options
    CELL
            A }\mp@subsup{a}{x}{}\mp@subsup{a}{y}{
            B }\mp@subsup{b}{x}{}\mp@subsup{b}{y}{
            C c}\mp@subsup{c}{x}{
END
SITES
    \vdots
        site definitions
        \vdots
    END
END
```

The vectors $\mathbf{a}, \mathbf{b}$ and $\mathbf{c}$ are the lattice vectors of the lattice unit cell. $\mathbf{a}$ and $\mathbf{b}$ must lie in the global $x y$ plane. It may be necessary to redefine the unit cell of the crystal to achieve this. The sites of the lattice cell follow in the same format as for a molecule, except that the site positions are always given in global coordinates, and they can be specified in the form FRAC $f_{a} f_{b} f_{c}$, where $f_{a}, f_{b}$ and $f_{c}$ are fractional displacements along the cell vectors.

Once the lattice has been defined, it may not be changed, but the LATTICE command may be repeated without the cell and site definitions to change the options. The options are:

RANGE DIRECT $s$ RECIPROCAL $g$
RANGE specifies the range to which summations are carried out. Summations in direct space (which normally include the dispersion and repulsion energy as well as the electrostatic energy) are taken to a distance $s$ (in the current length units), while summations in reciprocal space for the electrostatic interaction are taken to a distance $g$ in reciprocal space. The default values are $s=40$ bohr, $g=6$.

```
EWALD n
```

NOEWALD

EWALD $n$ specifies that an Ewald summation is to be used. The interactions between the adsorbed molecules and the surface are calculated directly for the lattice cells with centre of mass up to a distance $s$ away from the global origin $(0,0,0)$. The
electrostatic interactions are calculated using distributed multipoles in the usual way. If an Ewald summation is required, it is carried out using the total moments of molecule and lattice cell, referred to their respective centres of mass. The interactions between these moments are evaluated up to terms in $R^{-n}$. From the result are subtracted the interactions between centre-ofmass moments involving those lattice cells that have already been evaluated in direct space. The default is EWALD 4, which includes interactions between the net molecular dipoles and the lattice cell quadrupole. (Note that the lattice cell must be defined in such a way that it has no net dipole moment; otherwise there is a contribution from the surface charges on the crystal which does not vanish as the crystal is extended to infinity.) NOEWALD specifies that no Ewald sum is to be carried out; it is equivalent to EWALD 0 .

DIELECTRIC $\varepsilon$
Here $\varepsilon$ is a dielectric constant to be applied to interactions between the lattice and the molecules. It provides a crude way to account for polarization effects in the crystal, in the absence at present of a proper treatment.

The example in Fig. 6 shows a lattice definition for sodium chloride.

### 6.5 Layers

If a lattice and a set of molecules is defined, it is assumed that the molecules are to be treated as an isolated cluster on the crystal surface. The LAYER or MONOLAYER or ADLAYER declaration (the keywords are equivalent) specifies that the set of molecules is to be replicated across the surface to form an infinite layer.

```
LAYER
    options
    CELL
        A }\mp@subsup{a}{x}{}\mp@subsup{a}{y}{
        B }\mp@subsup{b}{x}{
    END
END
```

The vectors $\mathbf{a}$ and $\mathbf{b}$, which must lie in the $x y$ plane, define the 2-dimensional unit cell of the surface layer. If there is an underlying crystal, the layer must be commensurate with the crystal lattice, and in this case $\mathbf{a}$ and $\mathbf{b}$ are defined in the basis

```
Lattice
Range direct 25.0 reciprocal 4
Ewald 5
Cell
            a 5.627 0.0 (Lattice parameter 5.627 A)
            b 0.0 5.627
            c 0.0 0.0 5.627
                            End
Sites
Na frac 0.0 0.0 0.0 Rank 0 Type Na
1 . 0
Na frac 0.5 0.5 0.0 Rank 0 Type Na
Na frac 0.5 0.0 -0.5 Rank O Type Na
l.0 frac 0.0 0.5 -0.5 Rank O Type Na
1 . 0 ~ 0 . 0 ~ 0 . 5 ~ 0 . 5 ~ 0 . 0 ~ R a n k ~ 0 ~ T y p e d l
Cl frac 0.5 0.0 0.0 Rank 0 Type Cl
Cl frac 0.0 0.5 0.0 Rank 0 Type Cl
-1.0 frac 0.0 0.0 -0.5 Rank 0 Type Cl
C1.0 frac 0.0 0.0 -0.5 Rank 0 Type Cl
Cl frac 0.5 0.5 -0.5 Rank 0 Type Cl
-1.0
End
```

Figure 6: Lattice definition for sodium chloride.


Figure 7: Example of the definition of an adlayer unit cell
of the unit cell vectors for the underlying lattice. For the layer to be commensurate with the lattice, the components of a and $\mathbf{b}$ must then be integers. For example, Fig. 7 defines the layer unit cell shown when the crystal lattice vectors are $\boldsymbol{a}$ and $\boldsymbol{b}$.

If there is no crystal lattice, there is no restriction on the unit cell of the layer, and the components are just lengths in the current unit.

The options include RANGE and EWALD, as for the LATTICE declaration. The default range for real-space is 40 bohr, but the range for the reciprocal-lattice summation is determined by the program. The default for Ewald summation is EWALD 3 in this case, as it is usually necessary to carry out an Ewald summation of the dipole-dipole interaction. If NOEWALD or EWALD 0 is specified, the Ewald summation is skipped.

If there is more than one molecule per unit cell in the adlayer, the interaction energy between them is calculated by one of two routines, one of which is suitable when the difference in global $z$ coordinate between the centres of mass is small, and
one when it is large. The switch between the two is controlled by an additional option to the EWALD subcommand, namely SWITCH $z$. The default is to change at $z=0.25$ bohr. The two routines will give slightly different results because of differing convergence characteristics, which may cause optimizations to thrash between them, in which case it would be helpful to change the switch value.

The LAYER command may be repeated to change the options during the course of a calculation, though the unit cell may not be redefined. Any options not mentioned remain unchanged. There is a DEFAULTS option, which resets default values.

### 6.6 Crystal growth and aggregation

Many theories of crystal growth are based on calculations of the attachment energy, which for an ( $h k l$ ) crystal face is the energy per molecule released when a slice of crystal parallel to $(h k l)$ is added to the growing face. The thickness of the slice depends on the indices ( $h k l$ ); for (100), for example, it would be 1 unit cell thick in the $a$ crystal direction, while for (200) it would be half a unit cell thick (which may or may not be meaningful in this context). This approach uses static energy calculations; it is assumed that a large attachment energy is associated with fast growth. Fast-growing faces generally grow out, so that the faces seen in actual crystals are the slowest-growing ones.

The Orient program can calculate the attachment energy between a crystal slice and the bulk crystal. Because of the periodicity of the system, it is only necessary to calculate the interaction energy between the bulk crystal surface and a single unit cell of the slice.

It is also possible to determine the interaction energy between two different crystal faces. This is treated approximately by considering the interaction between an (hkl) crystal surface and a 'nanocrystal' with an exposed ( $h^{\prime} k^{\prime} l^{\prime}$ ) face in contact with the ( $h \mathrm{kl}$ ) surface. In this case the position of the nanocrystal, and its orientation with respect to the surface normal, are not known as they are for the attachment energy, so they have to be determined by optimizing the energy. Moreover the optimum geometry may depend on the size of the nanocrystal, though it rapidly settles down as the size of the nanocrystal is increased.

In both types of calculation a lattice must be defined as described above. The nanocrystal is defined by a declaration of the form

```
NANOCRYSTAL
    CELL
            A }\mp@subsup{a}{x}{}\mp@subsup{a}{y}{
            B bx by
            C c}\mp@subsup{c}{x}{}\mp@subsup{c}{y}{}\mp@subsup{c}{z}{
        END
        [ SIZE A nack B n
END
```

The atoms in the unit cell are defined as for an ordinary molecule. If the attachment energy is to be calculated the CELL definition for the nanocrystal should be the same as in the LATTICE command. SIZE, if present, specifies the number of unit cells in the nanocrystal. If it is omitted, a single cell is assumed, i.e. $n_{a}=n_{b}=n_{c}=1$.

## 7 Defining site properties and site-site interactions

### 7.1 Site types

```
TYPES
    type-name [Z atomic-number] [RADIUS r] [MASS m] +++
        [LABEL name | NOLABEL] [COLOUR data]
    \vdots
END
```

type-name is a character string, enclosed in single or double quotes if it contains spaces. $r$ is the van der Waals radius for this type of site. The mass is needed for optimizations, and for Ewald summations, where the total moments used in the summation are referred to the centre of mass of the molecule or lattice cell. The radius must be specified if a hard-sphere repulsion is required, or if it is needed to define the molecular surface, for example to tabulate the electrostatic potential on the surface. The atomic number may be specified as shown. If it is given, a standard mass and van der Waals radius are used for the site, unless explicit values are given. ORIENT knows the masses of the most common isotopes of atoms up to $Z=36$ (krypton) except in a few cases where it uses the mean atomic weight. The program knows values of some van der Waals radii for atomic numbers up to 82, as listed by Bondi (1964). For atoms for which values are not given by Bondi the standard radius is arbitrarily taken to be 2.5 bohr.

A colour may be specified, but is used only for graphical displays (see $\S 18$ ). It can be expressed in any of the forms illustrated by the following examples:

```
COLOUR GREY 0.8
COLOUR RGB 0.5 0.25 1.0
COLOUR RGB255 128 64 255
COLOUR RGBX 8040FF
```

The last three of these are equivalent. COLOR is accepted as a synonym for COLOUR.
A label, if given, is used only to identify the atom type in xyz files produced by the program; otherwise, if the atomic number is given the standard chemical symbol is used for this purpose, and failing that the first four characters of the type
name are used. If NOLABEL is specified, atoms of this type do not appear in xyz files. If the atomic number is omitted or given as zero, the mass and radius are assumed to be zero and NOLABEL is assumed, unless explicit MASS or RADIUS or LABEL values are given. For example, the following defines types C and H straightforwardly as carbon and hydrogen atoms, shown as such in xyz files, while cm (presumably the centre of mass, and perhaps the interaction site for dispersion interactions) has no mass of its own and is not shown in xyz files:

```
Types
    C Z 6
    H Z 1
    cm Z 0
End
```

Up to 20 site types may be defined, unless the limit is increased in the ALLOCATE command.

### 7.2 Defining the interactions between sites

There is always an electrostatic interaction between sites on different molecules that have any non-zero multipole moments. Other interactions can be added through the PAIRS declaration, where the parameters for the interaction are also defined. The repulsion potential takes the form $U \exp [-\alpha(r-\rho)]$, where $U$ is a constant, normally $10^{-3}$ Hartree. Dispersion coefficients $C_{n}$ may be specified for $n \leq 12$.

The orientation-dependent quantities $\alpha, \rho$ and the $C_{n}$ coefficients are expressed as $\bar{S}$-function expansions (Stone, 1996). For example:

$$
\rho=\sum_{l_{a} \kappa_{a} l_{b} \kappa_{b} j} \rho_{l_{a}}^{\kappa_{b} L_{b} l_{b} j \bar{S}_{l_{a}}^{\kappa_{b} \kappa_{a} j} .}
$$

At present the permitted $\bar{S}$-functions are limited to those for which $l_{a}+l_{b}=j$ (i.e., those that occur in the electrostatic energy) except for a few special cases, in particular when $l_{a}=l_{b}=1$ and $j=0$.

The form of the specification is

```
PAIRS
    [ general options ]
    t}\mp@subsup{t}{2}{}\mp@subsup{t}{2}{}\mathrm{ [ALPHA] [RHO] [C6] [GAMMA6] [C7] [GAMMA7] ...
        [ options for this pair ]
        la}\mp@subsup{|}{a}{}\mp@subsup{l}{b}{}\mp@subsup{\kappa}{b}{}j[\alpha][\rho][\mp@subsup{C}{6}{}][\mp@subsup{\gamma}{6}{}][\mp@subsup{C}{7}{}][\mp@subsup{\gamma}{7}{}][\mp@subsup{C}{8}{}][\mp@subsup{\gamma}{8}{}]
    End
    etc.
END
```

Here $t_{1}$ and $t_{2}$ are the names of the two site types concerned. Following them is a list of the parameters that will be specified subsequently. They may be listed in any order, but the numbers in subsequent lines must be in the same order. Subsequent lines specify the terms in the $\bar{S}$-function expansions of each parameter. In these lines, $l_{a}$ and $\kappa_{a}$ are specified together as a character string of the form ' 00 ', ' 20 ', ' 22 s ', etc., and $l_{b}$ and $\kappa_{b}$ likewise. The corresponding expansion parameters follow. Omitted values at the end of the line are taken to be zero, so if for example $\rho$ is anisotropic but $\alpha$ and $C_{6}$ are isotropic, it is more convenient to give the $\rho$ values first. The dispersion anisotropies may be specified either in terms of the anisotropic coefficients, or in terms of the anisotropy parameters $\gamma$, defined by $\left(C_{n}\right)_{l_{a} l_{b}}^{\kappa_{b} \kappa_{a} j}=\left(\gamma_{n}\right)_{l_{a} l_{b}{ }_{b}{ }_{b}{ }_{a} j}\left(C_{n}\right)_{000}^{00}$. In this case the value provided for $\left(\gamma_{6}\right)_{000}^{00}$ is taken to be $\left(C_{6}\right)_{000}^{00}$. Note that the isotropic coefficients are positive for attractive interactions.

The maximum number of pair interactions is normally 100 , but the limit can be increased by a PAIRS declaration in the ALLOCATE command. (See p. 7.) If we call the set of pair interaction parameters associated with a particular $\bar{S}$-function a parameter-set, the maximum number of parameter-sets, for all site pairs, is normally limited to 200 , but this limit may be increased by a PARAMETER-SETS declaration in the ALLOCATE command.

Note that the pair $A \ldots B$ is treated by the program as different from $B \ldots A$. Only one of them needs to be defined in the data file, and the other will be created automatically. However both need to be counted when working out the total number of pairs, and their parameter-sets also have to be counted twice.

The following options may occur in a PAIRS section, either before a pair definition, in which case they supply defaults for subsequent pairs and also for undefined interactions, or inside a pair definition, in which case they supply values for that pair only.

UNIT $u$
UNIT $u$ defines the pre-exponential factor to be $u$ in the current energy units. The default is $10^{-3}$ Hartree.
[ INDUCTION | DISPERSION ] DAMPING type [ parameters ]
This option defines the treatment of damping. If either INDUCTION or DISPERSION is specified, the treatment applies to that type of interaction only, and otherwise to both. DAMPING OFF is the default. DAMPING FACTOR $s$ specifies that damping functions $f_{n}(s R)$ are to be applied, where $f_{n}$ is a Tang-Toennies damping function, i.e., an incomplete Gamma function of order $n+1$. DAMPING SCALE $s$ [not yet implemented] specifies that the damping function is to be $f_{n}(s \alpha R)$, where $\alpha$ is the (isotropic or anisotropic) hardness parameter in the exponential repulsion. HFD $s$ and KMA $s$ specify Hartree-Fock-Dispersion or Koide-Meath-Allnatt damping functions respectively, and ERF $s$ specifies that the damping function is an error function. (The last of these is used in the Sprik-Klein water potential, but is probably not of much use otherwise.) DAMPING SBCS specifies the damping function used by Szczęs̀niak et al. (1990). In each case but the last a scale factor $s$ is needed; for the SBCS damping function the scale factor is the sum of the van der Waals radii.

The remaining damping functions need more parameters. They are

```
DAMPING GE b ct
DAMPING GG b ct
DAMPING PADE }
```

These are the new damping functions described by Hodges and Stone (2000). The first two are the exponential and gaussian combination damping functions, which are

$$
\begin{aligned}
& g_{e}(R)=[1+c \exp (-b R)-(1+c) \exp (-t b R)]^{6}, \\
& g_{g}(R)=\left[1+c \exp \left(-b R^{2}\right)-(1+c) \exp \left(-t b R^{2}\right)\right]^{3}
\end{aligned}
$$



Figure 8: Example of a definition of pair interactions.

The third is the $g_{m}$ function

$$
g_{m}(R)=\sum_{i=0}^{m-6} a_{i} R^{-i} / \sum_{i=0}^{m} b_{i} R^{-i}
$$

with $a_{i}$ and $b_{i}$ zero for odd $i$.
Note that induction damping is applied only to pairs of sites for which damping has been defined. For consistency, the same damping should be used for all interactions involving a polarizable site and some other site carrying multipoles. To achieve this it is sufficient to define the induction damping as a general option rather than for particular pairs of site types.

An example of an anisotropic repulsion specification is shown in Fig. 8, for acetylene and $\mathrm{N}_{2}$. The repulsion coefficients are from Stone and Tong (1994). $\alpha$ is isotropic here. In this example the program automatically sets up appropriate data for the $\mathrm{N} \cdots \mathrm{CH}$ interaction too; it is not necessary to define it explicitly. Similarly the program automatically includes 00101 and 00202 parameters for the $\mathrm{N} \cdots \mathrm{N}$ interaction, with the same values as for the 10001 and 20002 terms given.

The units for all of the quantities in a PAIRS command are those implied by the units currently defined for length and energy (see the UNITS command). Note that $\alpha$ has units of reciprocal length.

In this version of the program the Lennard-Jones potential is not provided, but it can be fudged by providing suitable $C_{6}$ and $C_{12}$ coefficients. If you do this, note that the $C_{6}$ coefficient should be positive and the $C_{12}$ coefficient negative. Both of these terms are currently regarded as dispersion, so if the dispersion energy comes out positive, don't be alarmed. Charge-transfer can be described by an attractive exponential term, i.e., by defining the pre-exponential factor for the pair interaction to be negative using UNIT. Only one kind of 'repulsion' interaction can be defined for each pair of site types, however, so if there is repulsion as well as charge transfer, you will need to define several sites of different types at the same position. Morse potentials can be defined in a similar way, as a sum of a repulsive exponential and an attractive one. There is no separate hard-sphere potential, but a pseudo-hard-sphere model can be obtained by using a large value of $\alpha .25$ bohr $^{-1}$ should be sufficient; higher values may cause problems with the optimization, because of the steepness of the potential. For example,

```
PAIRS
    N 00 00 0 25.0
    end
End
```

The same result can be achieved for all pairs using the syntax

```
PAIRS
    [UNIT unit]
    HARD-SPHERE [ }\alpha
End
```

The value of $\alpha$ specified here is used for repulsions between every pair of types, provided that both types in the pair have non-zero radii. If it is omitted, a value of 25.0 is used. The value of the pre-exponential constant may be adjusted using the syntax shown; the standard value of 0.001 hartree gives separations that are slightly too large, and a value of 0.0005 hartree or thereabouts may be better.

This example assumes that the site radii have been previously defined using the TYPES declaration, in which case $\rho$ is the sum of the site radii. However $\rho$ can be defined in the pairs declaration for a hard-sphere potential just as for an ordinary exponential potential. Indeed it is an ordinary exponential potential except for the unusually large value of $\alpha$. Notice that an anisotropic 'hard-sphere' potential is easily obtained by defining the $\rho$ expansion appropriately.

It is permissible to use several PAIRS commands referring to the same pair of sites, so that if, for example, the $\rho$ and $\alpha$ values are known in atomic units and the $C_{6}$ coeffficients in $\AA^{6} \mathrm{~kJ} \mathrm{~mol}^{-1}$, two separate PAIRS commands may be used, with a UNITS command between them to change units appropriately.

## 8 Modifying a molecule description

The EDIT command provides various ways of modifying the description of a molecule after it has been read in. It is not very often needed; the most common situation where it may be useful arises when a Distributed Multipole Analysis has been carried out by an $a b$ initio program such as CADPAC or MOLPRO. In such cases the multipoles for each site are all expressed in the global coordinate system, and it may be necessary to re-express them in suitable local coordinate systems, possibly different for each site. Another possibility is that the rank of multipole on some sites may need to be limited, and multipoles above the limiting rank transferred to other sites.

The command takes the form

```
EDIT [molecule]
        :
    subcommands
    \vdots
END
```

The subcommands are:

```
MOLECULE molecule
```

Subsequent commands apply to the specified molecule. If no molecule is specified on the EDIT line, this command must appear before anything else. It can be used more than once, to switch between molecules.

VERBOSE
Print more details.
QUIET
Print fewer details. (Default)

```
AXES
    s0 {x|y|z} [ FROM s1] TO s2 {x|y|z} [ FROM s3 ] TO s4
END
```

Define local axes for site $s_{0}$. The first axis mentioned is in the direction from $s_{1}$ to $s_{2}$; the second axis is initially from $s_{3}$ to $s_{4}$ but is Schmidt orthogonalised to the first axis. The third axis forms a right-handed set with the first two. If the FROM part is omitted, FROM $s_{0}$ is assumed. The sites are referenced by name, so the names need to be unique.

An alternative specification that can be used for either axis is

```
{x|y|z} FROM s1 BETWEEN }\mp@subsup{s}{2}{}\mathrm{ AND }\mp@subsup{s}{3}{
```

In this case the axis concerned bisects the angle between the $s_{1}-s_{2}$ and $s_{1}-s_{3}$ directions.
In linear molecules, there are no reference points to define directions perpendicular to the molecular axis, and the perpendicular axes are arbitrary anyway. If the molecule has been declared linear in its definition, only the local $z$ axis of a site may be redefined. If this is done, the local $x$ and $y$ axes are defined to form an orthogonal right-handed set but are arbitrary. If the molecule has not been defined as linear, even though it is, a local $x$ axis may be defined as 'GLOBAL $\{\mathrm{X}|-\mathrm{X}| \mathrm{Y}|-\mathrm{Y}| \mathrm{Z} \mid-\mathrm{Z}\}$ ', i.e. parallel or antiparallel to the global $x, y$ or $z$ axis. It will be orthogonalized to the local $z$ axis in the usual way.

```
BONDS AUTO
BONDS }\mp@subsup{s}{1}{}-> s\mp@subsup{s}{2}{}[[& [\mp@code{s
```

The first form assigns chemical bonds automatically on the basis of covalent radii. The second form describes the bonding explicitly: site $s_{1}$ is bonded to sites $s_{2}, s_{3}, \ldots s_{n}$; then the last of these, $s_{n}$, is bonded to sites $s_{2}^{\prime}$, $s_{3}^{\prime}$, etc., and so on. The command can be repeated to specify further bonds. For example, the bonds in propane, with a natural atom labelling, could be specified by

```
BONDS C1 -> H11 & H12 & H13 & C2 -> H21 & H22 & C3
```

BONDS C3 -> H31 \& H32 \& H33
SHIFT FROM $s_{1}$ TO $s_{2}$ [RANK $\left.n\right]$

Shift multipoles of ranks $n$ and above from $s_{1}$ to $s_{2}$. This is done in such a way that the overall multipoles of the molecule are preserved. However the accuracy of the multipole description will be reduced if multipoles are shifted too far. It is often
useful to shift multipoles on hydrogen atoms to the neighbouring heavy atom to simplify the multipole description of the molecule; for hydrogen atoms on polar groups such as OH it is advisable to leave the charge and perhaps the dipole on the hydrogen and to shift only the higher moments.

In the following commands, the action specified is applied to all sites with the names given:

```
DELETE }\mp@subsup{s}{1}{
```

Remove the specified sites altogether.

```
CLEAR }\mp@subsup{s}{1}{
```

Set the multipoles to zero for the specified sites.

```
LIMIT [RANK] j [FOR] s1 s s _..
```

Ignore multipoles above rank $j$. They can be restored by a subsequent LIMIT command with a higher value of $j$.
SUPPRESS $s_{1} \quad s_{2} \quad \ldots$
Temporarily suppress all multipoles on the sites listed.
RESTORE $s_{1} \quad s_{2} \quad \ldots$
Restore multipoles previously suppressed.
NEGATE $s_{1} \quad s_{2} \quad \ldots$
Change the sign of all moments on the sites listed.
MOMENTS [FOR] s Qlm [=] $\left\langle Q_{l m}\right\rangle \ldots$
Set particular moments for site $s$ explicitly. Moments not mentioned are left unchanged.

```
TYPE type [FOR] s1 s, _..
```

Set or change the site type.
COMBINE molecule
Add the multipole moments of the specified molecule to those of the current molecule. Usually the moments of one molecule or the other will have been negated first, so that the result is to construct the difference. This provides a way to compare different multipole descriptions of the same molecule. The site names of the two molecules must match exactly - it is assumed that they are in fact different descriptions of the same molecule - so even if some sites in one description or the
other carry no moments, the sites must still be present.

## 9 Distributed polarizabilities

A number of commands are provided for manipulating distributed polarizabilities. The molecule whose polarizabilities are to be specified must have been defined previously.

It is not necessary for polarizabilities to be specified for all sites in a molecule; for instance it may be convenient to specify hydrogen atoms separately as DMA sites but to include them with the neighbouring heavy atom for polarizability purposes. It is possible to specify polarizabilities for each atom of a molecule separately, but note that the program assumes that the mutual polarization of sites within the same molecule has been taken into account in the site-site polarizabilities, and it does not attempt to calculate any such effects, as would be required for instance in an Applequist model. Nor does the program attempt to take any account of the effects of molecular flexibility on polarizabilities, and only local polarizabilities should be used in flexible molecules.

Polarizabilities are specified or manipulated for one molecule at a time, using the command as follows:

```
POLARIZABILITIES FOR molecule
(subcommands)
    \vdots
END
```

The subcommands are:

| VERBOSE | Print more details |
| :--- | :--- |
| QUIET | Print fewer details |
| READ | Read polarizability data |
| COPY | Copy polarizabilities from one site to another |

DELETE Delete polarizabilities
LIMIT Suppress polarizabilities temporarily above a given rank
LOCALIZE Calculate a set of localized polarizabilities
SUM-RULE Check that the polarizabilities satisfy the charge-flow sum-rules.
MOVE Move polarizabilities to a new site
TOTAL Print the total molecular dipole-dipole polarizability
PRINT Print specified polarizabilities
WRITE Write the polarizabilities to a binary (unformatted) file.

The detailed syntax is as follows:
For the READ command, there are several possibilities. The syntax that is needed depends on the form of the polarizability data.

Often the polarizabilities have been calculated using the CADPAC program. In this case the syntax is
READ [RANK] $l$ [SITES $a b \ldots z]$
where polarizabilities are to be provided for sites $a, b, \ldots, z$, all belonging to the molecule specified. The polarizabilities should follow this command, on as many lines as necessary, in the order

$$
\begin{aligned}
\left(\left(\left(\alpha_{t u}^{p q},\right.\right.\right. & u=00,10,11 c, 11 s, 20, \ldots, l l s) \\
& p=a, b, \ldots, z) \\
& t=00,10,11 c, 11 s, 20, \ldots, l l s), \\
& q=a, b, \ldots, z)
\end{aligned}
$$

This is the data format used for the PUNCH output from the distributed polarizability procedure in the CADPAC program, so the output from CADPAC can be used directly as the input to ORIENT. The punch output also includes labels in parentheses identifying the numbers; these labels are ignored by OrIENT and there is no need to edit them out of the file.

If the polarizabilities are obtained from some other source, it will probably be more convenient to use the form

```
READ [RANK] l
a b
```



```
a}\mp@subsup{}{}{\prime}\quad\mp@subsup{b}{}{\prime
    polarizabilities 尓}\mp@subsup{a}{}{\mp@subsup{a}{}{\prime}
END
```

In this case the polarizabilities $\alpha^{a b}$ are provided as a matrix:

```
\(\begin{array}{lllll}\alpha_{00,00}^{a b} & \alpha_{00,10}^{a b} & \alpha_{00,11 c}^{a b} & \alpha_{00,11 s}^{a b} & \ldots \\ \alpha_{10,00}^{a b} & \alpha_{10,10}^{a b} & \alpha_{10,11 c}^{a b} & \alpha_{10,11 s}^{a b} & \ldots\end{array}\)
```

$\vdots \quad \vdots \quad \vdots \quad \vdots$

Note carefully that this array is not symmetric, in general, if $a \neq b$. The row labels should refer to site $a$ and the column labels to site $b$. It is not necessary to provide $\alpha^{b a}$ as well as $\alpha^{a b}$, but it does no harm to do so.

READ BINARY FILE filename [SITES] $a b \ldots z$
Read a binary (unformatted) file previously written by the WRITE subcommand (see below) or by another program. See the specification of the WRITE command for details of the file structure.

Note that the axes for each site are assumed to be the same as when the file was originally written. No axis information is contained in the binary file, so it is important to ensure that the axes are correctly defined before the polarizabilities are read.

COPY SITES $a\left[\begin{array}{ll}b & \ldots\end{array}\right]$ FROM [MOLECULE $m$ ] SITES $a^{\prime}\left[\begin{array}{lll}b^{\prime} & \ldots\end{array}\right]$
Copy the polarizabilities already given for sites $a^{\prime}, b^{\prime}, \ldots$, possibly on another molecule $m$, to sites $a, b, \ldots$ on the present molecule. The site names should identify the sites uniquely within each molecule. If polarizability matrices have not been defined for any site or pair of sites in the source list, the corresponding target matrix is left unchanged (which will probably mean that it is left undefined). The polarizabilities are not actually copied - the new sites refer to the same stored values as the old - so this is more efficient than specifying the new polarizabilities again using the READ command.

LIMIT [RANK] $l$ [ FOR | SITES ] $s_{1} s_{2} \ldots$
Sometimes it is necessary to suppress the higher-rank polarizabilities and to perform calculations only with those up to rank
$l$. This command suppresses temporarily the polarizabilities $\alpha\left(k, s, k^{\prime}, s^{\prime}\right)$ for which $k$ or $k^{\prime}$ is of higher rank than $l$, for sites $s$ listed and for all polarizable sites $s^{\prime}$ in the molecule. The original rank can be reinstated by a further LIMIT command with a higher value of $l$, but if the polarizabilities have been manipulated, for example by LOCALIZE, this may not be a sensible thing to do.

SUM-RULE [TEST eps] [CORRECT]
Check that the charge-flow sum rules are satisfied to within the criterion eps. If no criterion is specified, a default value is used. If CORRECT is specified, the polarizabilities with $s=s^{\prime}$ are adjusted so that the sum rules are satisfied. This should not be done unless it is known that the failures are due only to rounding errors.

```
LOCALIZE [[ EXCEPT | ONLY ] CHARGEFLOW] [TEST \varepsilon] +++
    [ ALL | SITES a b ... | PAIR a b TO c ]
```

Move polarizabilities between sites in such a way as to remove non-local polarizabilities $\alpha^{a b}$ with $a \neq b$. (See Le Sueur and Stone (1993, 1994).) If EXCEPT CHARGEFLOW is specified, charge-flow polarizabilities are left unchanged; if ONLY CHARGEFLOW is specified, only the charge-flow polarizabilities are localized.

A list of sites may be specified (and must come last); in this case, only non-local polarizabilities involving those sites or pairs of sites are removed. If no list is given, or if ALL is specified, all cross-polarizabilities are removed.

If PAIR $a b$ TO $c$ is specified, the non-local polarizabilities $\alpha^{a b}$ and $\alpha^{b a}$ are replaced by local polarizabilities on site $c$, which need not already carry polarizabilities. The polarizabilities $\alpha^{a a}$ and $\alpha^{b b}$ are also changed by this procedure.

The localization is carried out in such a way that the sum rules for charge-flow polarizabilities are preserved. This is checked; if TEST $\varepsilon$ is specified, the check is that the sum-rule value, which should be zero, is smaller than $\varepsilon$. The default value of $\varepsilon$ is $10^{-7}$; a larger value may be used when it is known that the polarizability values are not very accurate.

In order for the localization procedure to work correctly, the rank of polarizabilities must be the same on every polarizable site. If a LIMIT command is used to reduce the rank of the polarizabilities before localization, it must be applied to all the
sites.
MOVE [FROM] $a$ [ $b$ ] [CROSS] TO $c$ [RANK [MIN $l_{\text {min }}$ ] [KEEP $l_{\text {max }}$ ]
Replace the polarizabilities $\alpha^{a b}$ and $\alpha^{b a}$, and possibly $\alpha^{a a}, \alpha^{b b}$, by equivalent polarizabilities at site $c$. If the optional keyword CROSS is present then only the non-local polarizabilities $\alpha^{a b}$ and $\alpha^{b a}$ are moved; if it is absent the polarizabilities $\alpha^{a a}, \alpha^{b b}$ are moved too. Only polarizabilities of ranks $l_{\text {min }}$ and above are moved; polarizabilities of lower ranks are left unchanged. Polarizabilities at the new site above rank $l_{\text {max }}$ are discarded.

It is not possible to move charge-flow polarizabilities using this command. Either leave them where they are (using $l_{\min } \geq 1$ ) or use the LOCALIZE command first.

TOTAL [Limit $l$ ]
Print the total molecular dipole-dipole polarizability. If LIMIT 0 is specified, only the charge-flow polarizabilities are taken into account. Otherwise all local and non-local polarizabilities up to dipole-dipole are included.

```
DELETE [CROSS] s [s']
```

Delete polarizabilities $\alpha\left(k, s, k^{\prime}, s^{\prime}\right)$. The arguments have the same significance as in MOVE.

```
PRINT [LIMIT lmax ] [NON-LOCAL | LOCAL] a b ...z
```

Print polarizabilities $\alpha_{t u}^{p q}$ for all $p$ and $q$ in the list specified. If LImIt $l_{\max }$ is specified, only the components up to rank $l_{\text {max }}$ are printed. If NON-LOCAL is specified, only non-local polarizabilities involving the listed sites are printed; if LOCAL is specified, only local polarizabilities are printed. These options may appear anywhere in the line, but apply to all the sites listed. If both are specified, all polarizabilities are printed, but this is the default.

## WRITE FILE filename [LIMIT $l_{\max }$ ] $s_{1} s_{2} \ldots s_{n}$

Write the polarizabilities $\alpha_{t u}^{a b}$, for all $a$ and $b$ in the list specified, to the specified file in binary form. The structure of the file is as follows. Each polarizability matrix $\alpha^{s_{i j} j_{j}}$ is preceded by a record of the form
$i j l_{i j} S_{i j}$
where $S_{i j}=\left(l_{i j}+1\right)^{2}$ is the number of multipoles up to rank $l_{i j}$. This record is followed by $S_{i j}$ records, containing the first $S_{i j}$ elements of each row of $\alpha^{s_{i} s_{j}}$ in turn.

The rank $l_{i j}$ is the actual rank of the matrix $\alpha^{s_{i} s_{j}}$, unless LIMIT $l_{\max }$ has been specified, in which case it is either $l_{\max }$ or the actual rank, whichever is smaller.

Note that the initial record contains $i$ and $j$, the ordinal number of the sites in the specified list - not the site number as assigned by Orient. The assigned site numbers may be different in other runs of the program, and this usage makes it possible to read the data back in without needing to know the site numbers.

## 10 Displaying information

SHOW options
Display information about the system. Any number of options may be specified on one line. The options are:
variables [REINPut]
Print a list of the variables known to the program, and their current values.
CONSTANTS [REINPUT]
Print a list of constants. In both these cases, if REINPUT is specified, the names and values are printed in a form suitable for reinput to the program. However the DUMP and RESTORE commands are more suitable for that purpose.

SWITCHES
Print a list of switches with their current settings.
SYSTEM [INERTIA [MULTIPOLES]]
Calculate the system centre of mass, moments of inertia, and rotational constants. Also, if mULTIPOLES is specified, calculate the overall multipole moments of the whole system, relative to the centre of mass. The 'system' comprises all the molecules as defined, but not the lattice if there is one, and none of the periodic repetitions implied by NANOCRYSTAL or LAYER.

```
molecule key
```

ALL key
Show information about the specified molecule, or about all molecules in the system. The available keys are:

```
POSITION
```

Print the molecule's position and orientation in global coordinates.
SITES
Print out the site positions in the global coordinate system.
GEOMETRY
Print the molecular geometries, i.e. site positions and orientations.
DATA

Print the molecular geometries, together with the site multipoles, in a form suitable for subsequent re-input. If any variables or constants were used in the original definitions it will be necessary to use Show variables or Show Constants to print their values.

MULTIPOLES
Print the total molecular multipole moments, referred to the molecular axes and origin.

## 11 Calculations of energy and related properties

ENERGY [DETAILS]
Evaluate the energy of the assembly of molecules. If the optional keyword DETAILS is present, full details of site positions and individual site-site interactions are printed. Note that calculations involving a subset of the defined molecules can be performed by using SUPPRESS to mark the remaining molecules as inactive. They can be restored afterwards using the RESTORE command.

```
ENERGY TABLE [FORMAT fmt] PRINT [es] [er] [ind] [disp] [total]
n
v
v
\vdots
END
```

Construct a table of energies evaluated at a set of specified configurations. The format of the tabulated energy values may be specified; the default is the standard format corresponding to the energy units currently in force. A list of components to be printed may be specified; the default is to print all of them and the total.

The first data line following the command gives a list $n_{1}, n_{2}$, etc. of names of one or more previously-declared variables. Each following line specifies values for this set of variables. Length variables are given in the current length units, angles in degrees. Any blank lines in the list of sets of values are echoed to the output. Lines of the form COMMENT "string" may also occur, in which case the string is printed. The set of data lines is terminated by END on a line by itself.

## ANALYSE

For any finite collection of molecules, the interaction energy can be expressed in the form

$$
U=\sum_{i>j} U_{i j}+\sum_{i>j>k} U_{i j k}+\sum_{i>j>k>l} U_{i j k l}+\cdots
$$

where $U_{i j}$ is the interaction energy of molecules $i$ and $j$ alone in the absence of all the others, $U_{i j k}$ is the correction to
$U_{i j}+U_{i k}+U_{j k}$ required to get the energy of molecules $i, j$ and $k$ right in the absence of all the others, and so on. The ANALYSE command carries out interaction energy calculations for every subset of a system of up to eight molecules, and analyses the results into pair interaction terms $U_{i j}$, three-body corrections $U_{i j k}$, etc.

```
TRIPLE-DIPOLE \(C_{9}\left[\begin{array}{lll}m_{1} & m_{2} & m_{3}\end{array}\right]\)
```

Estimate the triple-dipole dispersion energy of the system. If a set of three molecules is listed, the energy is evaluated for that set only. Otherwise it is evaluated for every set of three molecules in the system, using the same $C_{9}$ triple-dipole dispersion coefficient in each case. It is assumed that that the relevant interaction origin is the centre of mass, and no account is taken of any possible anisotropy in the $C_{9}$ coefficient.

```
SLICE
    [FILE file1]
    [GRID file2]
    namel FROM minl TO maxl STEP stepl
    [ name2 FROM min2 TO max2 STEP step2]
END
```

The SLICE keyword allows the user to sample a potential energy surface along one or two coordinates. The coordinates correspond to named variables and are specified using the name keyword. Minimum and maximum values are specified with the FROM and TO keywords respectively. The step size along each coordinate is specified with the STEP keyword. The energies are written to standard output and to files specified by the FILE and GRID keywords. The output in filel is in the format:

$$
\begin{array}{cc}
v_{1}[0] & E[0] \\
\vdots & \\
v_{1}[i] & E[i] \\
\vdots & \\
v_{1}[m] & E[m]
\end{array}
$$

or

$$
\begin{array}{ccc}
v_{1}[0] & v_{2}[0] & E[0,0] \\
\vdots & & \\
v_{1}[i] & v_{2}[j] & E[i, j] \\
\vdots & & \\
v_{1}[m] & v_{2}[n] & E[m, n]
\end{array}
$$

for sampling one or two coordinates respectively. The output in file2 is in the format:

$$
\begin{gathered}
E[0] \\
\vdots \\
E[m]
\end{gathered}
$$

or

$$
\begin{array}{ccccc}
E[0,0] & \ldots & E[0, j] & \ldots & E[0, n] \\
\vdots & & & & \\
E[i, 0] & \ldots & E[i, j] & \ldots & E[i, n] \\
\vdots & & & & \\
E[m, 0] & \ldots & E[m, j] & \ldots & E[m, n]
\end{array}
$$

for sampling one or two coordinates respectively. Here, the indices $i$ and $j$ span the values between the minimum and maximum quantities specified.

```
TABULATE [POTENTIAL] [FIELD] [GRADIENT] [E10] ... +++
    [COMPARE [UNIT unit-spec]]
    subcommands
END
```

Tabulate the electrostatic potential, and specified components of the electric field and the field gradient. If POTENTIAL is specified, the electrostatic potential is evaluated; voo is a synonym. The components of the electrostatic field can be specified individually by the keywords E10, E11c or E11s (or Ez, Ex or Ey respectively); FIELD is equivalent to specifying all three components, in that order. Similarly individual components of the field gradient may be specified by E20 etc., or all five by the keyword GRADIENT. Note that the components of the electric field and field gradient tabulated by the program are minus the derivatives of the electrostatic potential, i.e., they are the electric field and field gradient as usually defined. The spherical components of the field gradient are

$$
\begin{aligned}
E_{20} & =\frac{1}{2}\left(2 E_{z z}-E_{x x}-E_{y y}\right), & & \\
E_{21 c} & =\sqrt{3} E_{x z}, & & E_{21 s}=\sqrt{3} E_{y z} \\
E_{22 c} & =\frac{1}{2} \sqrt{3}\left(E_{x x}-E_{y y}\right), & & E_{22 s}=\sqrt{3} E_{x y}
\end{aligned}
$$

The points at which these quantities are to be tabulated are specified by the subcommands following the TABULATE command itself:

RADII [type radius type radius ...] [ADD $d$ ] [SCALE $f$ ]
Specify van der Waals radii to be used subsequently to define a van der Waals surface. The radius for each site is initially the value specified in a previous TYPES command, if any. ADD adds the value $d$ to all radii; SCALE multiplies all radii by $f$. The radii are restored to their original values at the end of the TABULATE command.

SURFACE [FOR] molecule [STEP $s$ ]
Generate points on the van der Waals surface of the specified molecule. The separation between points is approximately $s$. The points for each site are generated on the surface of a sphere with the radius currently in force for that site; this is repeated in turn for each site, and any points that fall within the sphere for another site are omitted.

```
LATTICE A \(a_{x} a_{y} a_{z}\) B \(b_{x} b_{y} b_{z}\left[\begin{array}{llll}c_{x} & c_{y} & \left.c_{z}\right] \text { ORIGIN } o_{x} & o_{y} \\ o_{z}+++ \\ & \end{array}\right.\)
    ALIMITS \(i_{a} k_{a}\) BLIMITS \(i_{b} k_{b}\) [CLIMITS \(i_{c} k_{c}\) ]
```

Generate points in a lattice defined by lattice vectors $\boldsymbol{a}, \boldsymbol{b}$ and $\boldsymbol{c}$, with origin at the point specified. $\boldsymbol{i}_{a}$ and $k_{a}$ specify the range of lattice points in the lattice $a$ direction; similarly for $i_{b}$ and $k_{b}$ and for $i_{c}$ and $k_{c}$. The definition of $c$ and the CLIMITS may
be omitted, in which case a single plane of points is generated. All of these quantities are defined in the global coordinate system.

```
x y z [V]
```

Specifies a single point at position $(x, y, z)$ in global coordinates. $V$, if given, is the value of the electrostatic potential at the specified point; if COMPARE is specified, the program prints these values out together with its own values and the differences, so that other models may be compared with the distributed multipole model. COMPARE may not be specified with GRADIENT, SURFACE or LATTICE. The unit in which $V$ is given is normally the energy unit set by default or by a UNITS command, but a different unit may be defined by specifying, on the TABULATE command line, UNIT $u$ [unit]. $u$ may be omitted, in which case it is assumed to be 1 . The unit is one of HARTREE, $\mathrm{kJ} / \mathrm{mol}, \mathrm{eV}$ or $\mathrm{cm}-1$, or it may be omitted, in which case $u$ must be present and the unit for $V$ is $u$ times the current energy unit.

## 12 Geometry optimization

```
OPTIMIZE (or MINIMIZE or SADDLE or NEWTON-RAPHSON)
    \vdots
    options
    \vdots
```

Optimise the energy of the system of molecules, starting from the current configuration. The options can often be omitted, since there is a sensible default in all cases. The keyword OPTIMIZE may be replaced by MINIMIZE for an optimization with search type 0 , i.e., a minimization, by SADDLE for a saddle-point search, or by NEWTON-RAPHSON for a Newton-Raphson search.

When the geometry is optimized, the internal values for the geometrical parameters are updated. Molecules are treated as rigid during an optimization, so that no internal coordinates are optimized, but all intermolecular coordinates are normally optimized, whether they were declared initially as named variables, or specified as literal numerical values.

The optimization options may also be specified separately:

```
OPTIONS
    \vdots
    options
END
```

This is not necessary for a simple optimization, but it is needed if Monte Carlo or molecular dynamics simulations with quenching are to be carried out (see below).

Whether specified in an OPTIONS block or in the OPTIMIZE command, the options remain in force unless changed subsequently. This is an incompatible change from earlier versions of the program, where the default options were reset for each OPTIMIZE or MC or MD command. There is one exception to this: if the DUMP option is set and an optimization or simulation is
carried out, it is unset after the dump so that the dump file is not accidentally over-written by later optimizations.
RESET
Reset all options to the default.
SEARCH $n$
Carry out a search of type $n$ for a stationary point. The search types are

0 (Default) Find a minimum by eigenvector following.
1 Carry out a Newton-Raphson search for a stationary point. This can be used to find stationary points of index higher than 1 , provided that the starting-point is close enough.

2 Find a saddle-point of index 1 (1 imaginary frequency) by eigenvector following.
3 Find a minimum, using a pseudo-third-derivative correction.
4 Find a saddle-point of index 1, using a pseudo-third-derivative correction.

MINIMUM is a synonym for SEARCH 0 , NEWTON-RAPHSON for SEARCH 1 and SADDLE for SEARCH 2.
EVF
Use the eigenvector-following method for optimization. This is the default.
LMBFGS
Use the limited-memory BFGS (Broyden-Fletcher-Golfarb-Shanno) minimization algorithm. This cannot be used to find saddle points, but it should find minima more efficiently.

ITERATIONS $n$
Allow up to $n$ iterations of the optimization procedure. Default 100.
CONVERGENCE $c$
Set the convergence threshold for eigenvector-following. The optimization stops when the magnitude of the energy gradient is less than $c$. Default is $10^{-6}$ hartree/bohr. The value of $C$ is taken to be given in terms of the current energy and length
units.
MODE $n$
Start the search along the $n$th mode of the Hessian, counting from the one with the most negative eigenvalue as mode 1 , and subsequently follow the mode that has the largest overlap with the direction of the previous step. MODE 0 follows the mode with the most negative eigenvalue at every step, and is the default.

STEP $x$
(Eigenvector-following only.) The maximum step-length is to be $x$ units. $x$ is treated as a distance in the current length units. Internally the units in which the steps are measured are bohr for distances and radians for angles. The default is 0.1 bohr.

SHOW [ENERGY] [VARIABLES] [GRADIENT] [HESSIAN]
Display information at each step of the optimization. Any or all of the options may be specified.
ENERGY: display the energy.
VARIABLES: display the values of the geometry variables.
GRADIENT: display the components of the gradient.
HESSIAN: display the components of the Hessian (second derivative matrix).
HESSIAN
(BFGS optimization only.) Evaluate the Hessian at the starting geometry.
FIX
molecule [POSITION] [X] [Y] [Z] [ORIENTATION]
END
Constrain the optimization by fixing the specified variables at their current values. It is possible to fix any one or more of the components $X, Y$ and $Z$ of the molecular (centre-of-mass) position; POSITION is equivalent to $\mathrm{X} Y \mathrm{Z}$. It is not possible to constrain individual orientational variables. If a molecule is specified without any coordinates, they are all constrained.

When using this option it is necessary to ensure that enough variables are constrained to define the geometry of the stationary point completely. That is, there should be no direction in the unconstrained space in which the system can move without changing the energy. For non-linear molecules, this can be achieved by constraining one molecule completely, but
for linear molecules or atoms additional constraints would be needed.
INDUCTION firstind [maxind]
If the iterated induction energy is being calculated, the calculation is much more time-consuming. However, it may not be necessary to converge it completely at each step, and time may be saved by limiting the number of iterations that are performed. When the optimization is close to convergence, the geometry changes very little for several iterations, and the induction energy can reach convergence even though there may not be enough iterations for convergence in a single step. firstind is the maximum number of iterations to be permitted at the first step of the optimization. Default 40 . maxind is he maximum number of iterations to be permitted in each of the remaining steps of the iteration. Default 40. If this option is used with a small value of maxind it is important to check that the induction energy has converged at the final geometry, for example by carrying out an ENERGY DETAILS calculation, which will converge the induction energy fully.

```
RESTORE file
```

Read the geometrical parameters from the specified file before starting the optimization or simulation. These values override any values already given in the molecule declaration or in SET commands.

DUMP file
At the end of the optimization or simulation, write the geometrical parameters to the file specified, for subsequent re-input. The parameters comprise the position of each site, followed by the orientation matrix for any site that is defined to have a different orientation from its parent. As noted above, this option is unset after the dump has been carried out, to avoid over-writing the dumpfile inadvertently in a later stage of the calculation.

```
PLOT [[NEW] FILE file] [EVERY n | LAST] [TITLE title] +++
```



Write the geometry to the specified file in xyz format. If NEW is specified, a new file is opened with the name given, overwriting any existing file; otherwise the output is appended to the specified file. If no file is specified, and a plot file is already open, the output is appended to that. If 'EVERY $n$ ' is specified, and xyz format is used, a frame of plot data is produced at every $n$th iteration. 'LAST' calls for a plot of the final geometry only. The default is 'EVERY 1 '. The title, if given, is used as a heading in the xmol 'animate' window, together with the iteration number and the energy. Remember to enclose the title in quotes if it contains spaces. The LATTICE and LAYER options specify a range of unit cells for plotting in the crystal and
adsorbed layer respectively. They are irrelevant if there is no lattice or periodic layer, but their arguments are read anyway and could affect subsequent plots. The default in each case is to plot a single unit cell, i.e. for example LATTICE 0000 .

REALIGN molecule
If REALIGN is specified, the system is moved as a whole at the end of the optimization so that the named molecule is in its original position and orientation. This option is now redundant, since the same effect can be achieved using the FIX command.

FREQUENCIES [FILE file] [ANIMATIONS [FRAMES nframes]] [INTENSITIES] [VECTORS]
Print the intermolecular vibration frequencies $\left(\mathrm{incm}^{-1}\right)$ at the end of the optimization. Note that these will include five or six frequencies close to zero, corresponding to the overall vibrations and rotations. If a file is specified, the frequencies are written to that file also.

If the ANIMATIONS keyword is specified, normal mode animations are written in xyz format to the files file moden.xyz (or moden.xyz if no filename has been given). A separate file is written for each mode, including the translations and rotations. Each file contains nframes frames; the default value of nframes is 36 .

If the InTENSITIES keyword is specified, the infrared intensities of the normal modes are calculated and written to the file file_intens.dat (or intens.dat if no filename has been given).

If the VECTORS keyword is specified, the Cartesian coordinates and normal mode displacement vectors are written in xyz format to the file file_vec.xyz (or vec.xyz if no filename is given).

THERMOFUNCS options
Calculate the change in the thermodynamical functions of optimized configurations, or quenched configurations in a simulation, compared to the separated constituents. The polyatomic ideal gas approximation (McQuarrie, 1976) is used. All the translational and rotational contributions, and the intermolecular vibrational contributions, are taken into account, but not the changes in intramolecular vibrations and electronic contributions. In a simulation, the calculation is done after every quench. The options are

FILE file

The file in which the thermodynamical functions are stored (default thermofuncs.dat). The columns are

| $D_{e}$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | dissociation energy from the bottom of the well |
| :--- | :--- | :--- |
| $D_{0}$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | ZPE-corrected dissociation energy |
| $T$ | K | Temperature |
| $\Delta S$ | $\mathrm{~J} \mathrm{~mol}^{-1} \mathrm{~K}^{-1}$ | Entropy change |
| $T \Delta S$ | $\mathrm{~J} \mathrm{~mol}^{-1}$ | Temperature $\times$ Entropy change |
| $\Delta U$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | Thermodynamical Energy change |
| $\Delta H$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | Enthalpy change $(H=U+R T)$ |
| $\Delta A$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | Helmholtz Free Energy change $(A=U-T S)$ |
| $\Delta G$ | $\mathrm{~kJ} \mathrm{~mol}^{-1}$ | Gibbs Free Energy change $(G=H-T S)$ |

PRESSURE press
The external pressure which is used in the ideal gas approximation. The unit is Pascal and the default is 101,325 (= 1 atm ).
TEMPMIN tmin
The minimum temperature for which the thermodynamical functions are estimated. If no temperature grid is defined, i.e. $\operatorname{tgrid}=1$, the calculation is done at this temperature only. The temperature is measured in Kelvin and the default is 298.0.

TEMPMAX tmax
The maximum temperature of the calculations. If a grid is defined the changes in the functions are estimated between tmin and tmax. The unit is Kelvin and the default is 298.0.

## TEMPGRID tgrid

The number of temperature points from tmin to tmax inclusive. This parameter provides for calculating the thermodynamical functions over a given temperature interval. The default is 1 (no temperature grid).

## 13 Monte Carlo Simulations in Orient

The energies calculated by the ORIENT program can be used directly for Monte Carlo simulations of the canonical ensemble.
A simulation may start with an adjustment period to determine the sampling parameters automatically. Position and orientation variables (Evans, 1977; Evans and Murad, 1977; Allen and Tildesley, 1987) can be treated independently. To perform ergodic sampling accurately the Jump Walking approach is available (Frantz et al., 1990; Tsai and Jordan, 1993). Every run can use configurations from a separate higher temperature run with the appropriate stochastic transition matrix (jumping). Similarly the results of a lower temperature run can be used in the same way (diving). The independent simulations are run at the same time and communicate via buffer files which are filled at random to prevent correlation effects.

The resulting density of configurational energies may be stored in a histogram and fitted by a Gaussian expansion. Thermodynamical observables are estimated with Ferrenberg and Swendsen's histogram method (Ferrenberg and Swendsen, 1988, 1989; Tsai and Jordan, 1993). All calculations can be run in a loop over a range of temperatures. An optional spherical container prevents evaporation.

The Monte Carlo routine in Orient is called by the MC environment

```
MC
subcommands
    \vdots
END
```

An example of a Monte Carlo data section is shown in Fig. 9. The following commands control the calculation. Many of them have a number of options, which are given one to a line, terminated by a line containing just "end". Energy values are always measured in the current energy unit. The temperature unit is Kelvin.

```
MC
minimum
induction 1
maxstep 100
niter 500
dump md01.dump
restart minimum.dump
temp initial 35.0
steps
    number 1000000
    maxdisp 0.3 openend
end
container radius 15
adjust
    steps 100000
    frequency 10000
        rateconverge 4
end
jumpwalk
    jumper dtemp01.com
    jumpertemp 0.0002
    diver dtemp02.com
    diveevery 10
end
end
end
```

histogram
file mc01.hist
size 2000
end
density
caloriccurve mc01.cal
fitfile mc01.fit
fitconverge 10
end
statistics
all
every 5000.0
file mc01.stat
end
quenching
every 10000.0
file mc01.quench
geometry mc01.xyz title Ar13-Quenching globalmin mc01.gmin

Figure 9: Example of a Monte Carlo data section.

### 13.1 Adjustment period

```
ADJUST
options
    \vdots
```

A simulation may start with an adjustment period for determining the maximum displacements in the configuration space. These limits are responsible for the acceptance rate of the sampled geometries and with it for the efficiency of the simulation (Metropolis et al., 1953). Afterwards the initial configuration will be reset. The adjustment procedure is independent of the Jump Walking technique. The options are:

STEPS number
Maximum number of steps in the adjustment period. The default is 100,000 .
FREQUENCY freq
The adjustment procedure measures the acceptance rate in partial simulations of freq steps and changes the displacements if necessary afterwards. The default is 10,000 .

ACCEPTRATE rate
The given target acceptance rate which should be achieved with the converged maximum displacements. The default is 0.5 .
tolerance tol
The tolerance limit for the acceptance rate. Within this interval around the target value rate the displacements will not be changed and the adjustment is considered to be converged. The default is 0.05 .

RATECONVERGE conv
After conv partial simulations are converged to the specified acceptance rate the adjustment procedure ends and the main simulation starts. If conv is set to zero (default) the adjustment period always continues for the specified number of steps.

DELTADISP ddisp
Specifies the fraction ddisp by which the maximal displacement in the position variable is increased or decreased if the acceptance rate is too high or low after a partial simulation. The default is 0.3 (i.e. $\pm 30 \%$ ).

## DELTAROT drot

Specifies the fraction by which the maximal displacement in the rotation variable is increased or decreased if the acceptance rate is too high or low after a partial simulation. The default is 0.3 (i.e. $\pm 30 \%$ ).

### 13.2 Container

CONTAINER [RADIUS radius]
The command defines a spherical container around the system to prevent evaporation. This is appropriate in most Monte Carlo simulations. radius is the radius of a spherical container around the centre of mass of the system. All particle positions are restricted to this sphere. The default is 0.0 (no container).

### 13.3 Thermodynamical properties

The sampled probability distribution of the potential energy can be used to estimate the thermodynamical properties of the system like the caloric curve. This calculations are done with Ferrenberg and Swendsen's histogram method (Ferrenberg and Swendsen, 1988, 1989; Tsai and Jordan, 1993). The command also provides smoothing and fitting to an analytical expression of the density distribution for further calculations. The histogram is fitted to a sum of displaced Gaussians with the Levenberg-Marquardt method (Press et al., 1992). In addition an old density distribution can be loaded from a file.

The subcommand is

```
DENSITY
        \vdots
    options
    END
```

and the options are:
CALORICCURVE ccfile
Specifies the name of a file to which the caloric curve data are written. Default morun. cal. The expectation values for the entire system of the potential energy $\left\langle E_{\text {pot }}\right\rangle$ and the heat capacity $\left\langle C_{V}\right\rangle$ are calculated from the sampled density distribution of potential energy as a function of temperature. The histogram method of Ferrenberg and Swendsen is used to get the approximation for the range between ccmin and ccmax around the simulation temperature. The data columns in the file are

$$
T / \mathrm{K} \quad\left\langle E_{\mathrm{pot}}\right\rangle \quad\left\langle E_{\mathrm{pot}}^{2}\right\rangle \quad\left\langle C_{V} / \mathrm{J} \mathrm{~K}^{-1} \mathrm{~mol}^{-1}\right\rangle
$$

CALORICMIN ccmin
The start temperature in Kelvin for the calculation of the caloric curve. The default is set $5 \%$ below the minimum temperature of all the loops.

CALORICMAX ccmax
The end temperature in Kelvin for the calculation of the caloric curve. The default is set $5 \%$ above the maximum temperature of all the loops.

CALORICGRID ccgrid
The number of temperature points between ccmin and ccmax for which the caloric curve is calculated. The default is 100 .
FITFILE fitfile
If this filename is set a histogram due to the analytical fit is stored in fitfile. The histogram size corresponds to the original one. In addition the analytical expression of the fit is written to fitfile. anl. If the simulation consists of more than one temperature loop the respective loop number is added to every filename automatically.

FITORDER order
The histogram is fitted to a sum of Gaussians,

$$
\Omega_{\mathrm{pot}}^{\mathrm{fit}}(E)=\sum_{k=1}^{\text {fitorder }} a_{k} \exp \left[-\left(\frac{E-b_{k}}{c_{k}}\right)^{2}\right]
$$

So fitorder sets the order of the expansion in the analytical model. The default is 3 , the maximum is 16 .

The Levenberg-Marquardt method defines a merit function to measure the agreement between the fit and the histogram. Every fitting step should improve the analytical model and changes the merit function. The quantity quality defines a relative alteration limit in which the merit function and with it the fit is considered to be converged. It controls the quality of the analytical model. The default is $10^{-5}$.

A check of the fit by the user is always recommended because automatic fitting can converge to an absurd result. A change in fitorder or quality usually helps in such a case.

FITCONVERGE converge
The fitting procedure stops if the merit function is converge times in a row converged, i.e., the relative fluctuation is below the limit quality. The default is 20 .

FITMAXITER maxiter
The maximum number of steps in the fitting procedure. If the analytical model has not achieved the required quality after maxiter steps, the fitting stops. The default is 1000 .

FITREPORT
If this option is set the program prints out information about the convergence during the smoothing iterations.
TAKEOLD oldfile
If oldfile is set the program loads an old histogram from the file oldfile and uses it in the calculations. The run stops after the fitting, the estimation of the thermodynamical properties and/or the file storage, respectively. The FITREPORT option is set automatically.

### 13.4 Histogram

The density of potential energies is stored in a histogram at each temperature. Details are controlled by the HISTOGRAM command. See also the DENSITY command (previous section). The options are:

The number of finite intervals (bins) in the histogram to which the different potential energies are classified. The maximum is 10,000 and the default is 2,500 .

FILE file
If file is set the histogram is saved in the specified file after each temperature. If there is more than one temperature loop in a simulation the number of the respective loop is appended to the filename automatically, so the histograms are stored separately. The default is mcrun.hist.

```
MINIMUM minimum
MAXIMUM maximum
SAFETYFACTOR safefac
```

These options are used to specify the range of potential energy values which are taken into account in the histogram. If minimum is zero, or the MInImUM option is omitted, it is set to

$$
\text { minimum }=E_{\min }^{\text {meas }}-\text { safefac } \times\left(E_{\max }^{\text {meas }}-E_{\min }^{\text {meas }}\right),
$$

where $\mathrm{E}_{\text {max }}^{\text {meas }}$ and $\mathrm{E}_{\text {min }}^{\text {meas }}$ are the highest and lowest measured energies found during the adjustment period. Similarly, if maximum is zero, or the MINIMUM option is omitted, it is set to

$$
\text { maximum }=\mathrm{E}_{\max }^{\text {meas }}+\text { safefac } \times\left(\mathrm{E}_{\max }^{\text {meas }}-\mathrm{E}_{\min }^{\mathrm{meas}}\right) .
$$

The SAFETYFACTOR option is used to set the multiplication factor which is used if the histogram boundaries are adjusted automatically. The default is 0.5 .

### 13.5 Jump Walking

The Jump Walking approach (Frantz et al., 1990; Tsai and Jordan, 1993) makes the Monte Carlo simulation more ergodic. The basic idea is to jump from time to time to an uncorrelated new point in the configuration space during the sampling. This should prevent the run from being trapped in a small area of this space. The new configuration is taken from a higher
temperature simulation which should be more ergodic. In addition it increases the efficiency of the sampling because the important configurations between the energy barriers are more likely than in a uniform distribution. This causes a new statistical transition matrix for the sampling which is taken into account by the program.

If a Monte Carlo run is jumping to a higher temperature distribution from time to time it is called a Jumper. If a run at higher temperature is supposed to deliver a Jumper at lower temperature it is called a Diver. Also every run could be both a Jumper and a Diver. Hence a simulation which includes Jump Walking consists of two or more runs simultaneously. If a run is a Jumper it communicates with the next higher temperature run (its Diver via a buffer file. Entries are continuously chosen at random and changed by the Diver. The access from the Jumper is also random. Because of this a reasonably big buffer prevents correlation effects between the two runs. The right choice of the temperature differences and the highest temperature is decisive for the quality and efficiency of the simulation compared to independent runs at the same temperatures.

```
The command is
```

and
and the options are:
JUMPER jumpcom
This command characterises a Jumper. jumpcom is the name of the buffer file for the Jumper/Diver communication. An independent Diver is filling this buffer constantly with configurations from its higher temperature distribution. If the Jumper finds this buffer it starts a simulation and jumps with a preset probability from time to time to a configuration chosen randomly from the buffer. Obviously the Jumper and the corresponding Diver at higher temperature must use the same communication file. The default is mcrun. jump.

JUMPERTEMP jtemp
The temperature of the independent Diver in Kelvin. jtemp must be known to construct the correct transition matrix in the sampling. The temperature difference between the Diver and the Jumper determines the acceptance rate for a new configu-
ration from the higher temperature run. This rate is reported in the output of the statistics. A recommended rate is 0.5 .
JUMPCHANCE jchance
The probability for trying a configuration from the higher temperature distribution, i.e., from the buffer file, in a Monte Carlo step. The default is 0.1 .

DIVER divecom
This command characterises a Diver. Like jumpcom it defines the name of the buffer file for the Jumper/Diver communication. The Diver fills the buffer with configurations constantly during the run. Again one must ensure that the corresponding Jumper at lower temperature is using the same buffer file. The default is mcrun.dive.

DIVEEVERY devery
The frequency of saving the configurations (diving) by the Diver. Every devery Monte Carlo steps the current coordinates are stored in divecom sequentially. The default is 10 .

BUFFER size
The number of configurations which are stored in the communication buffer file. The Jumper and the Diver must use the same buffer size. size can be used to optimise the computational costs of the simulation. If the Diver is quenching the geometry from time to time size should not be too small, otherwise some configurations could be overemphasised in the Jumper. The default is 500 .

DELAYFACTOR delay
After the adjustment procedure a Jumper sleeps for a while to wait for an equilibrated filling of the buffer file. This period depends on the buffer size size and the diving frequency devery of the Diver. The factor delay offers a chance to manipulate this time delay if the buffer takes longer to equilibrate. The default is 1.0 .

### 13.6 Lennard-Jones systems

## LJATOMS [EPSILON $\varepsilon$ ] [SIGMA $\sigma$ ]

A simple Lennard-Jones pair interaction can be used for a system of atoms, and makes the simulation much faster. The Lennard-Jones potential is used only for the simulation; if the system is quenched the more complex interaction defined in the ordinary way is used. The options specify the well-depth $\varepsilon$ and the diameter $\sigma$ in the Lennard-Jones potential

$$
V_{\mathrm{LJ}}(r)=4 \varepsilon\left[\left(\frac{\sigma}{r}\right)^{12}-\left(\frac{\sigma}{r}\right)^{6}\right]
$$

### 13.7 Quenching

A potential energy surface can be explored by performing a high-temperature Monte Carlo simulation, and quenching the system from time to time - that is, by optimizing the geometry, in effect reducing the temperature to zero so that the system falls into the nearest minimum. Afterwards the simulation continues from the configuration from which it was quenched, i.e., as if the quench had not happened.

QUENCHING
:
options
END
This command specifies the number of steps after which the configuration of the simulation is quenched to a stationary point. The optimization procedure (Wales et al., 1995) is controlled by a preceding OPTIONS section, as for the OPTIMIZE environment. The quenched energies and optionally the geometries are written to specified files. If the THERMOFUNCS options has been set in a previous OPTIONS block or optimization, the program calculates the change in the thermodynamical functions of each quenched configuration compared to the separated constituents. See above for details.

The quenching options are:
EVERY $n$
After every $n$ Monte Carlo steps the current configuration is quenched. The default of $n$ is 0 (no quenching).
FILE file
The file where the optimised energies are stored. The output is in columns in the order
time-variable total energy
The default file is mcrun. quench.
GEOMETRY geofile
If this option is set the quenched geometries are stored in geofile.xyz. The output is in $x y z$-format, with one frame for each quenched geometry, and includes energy information in the frame title.

TITLE title
The title of the geometry data. If title is set the optimised geometries are stored in geofile. The corresponding energy is always appended to the title. The default title is MC-Quenching.

GLOBALMIN gmfile
If this file is set the lowest lying configuration in energy of all quenched geometries is saved separately. This can be used to look for the global minimum during a simulation. The configuration is saved in $x y z$-format (gmfile) and in a dump-file (gmfile .dump) which is suitable for the RESTART command.

TAKEQUENCHED
Usually the quenching does not affect the sampling loop. However, if this option is set the Monte Carlo simulation continues with the optimised geometry. This is sometimes useful for searching the global minimum.

### 13.8 Statistics

```
STATISTICS
    \vdots
options
    \vdots
END
```

This command controls the calculation of the statistical observables in the Monte Carlo simulation, and causes them to be saved to file at intervals. All canonical observables should converge during the integration.

EVERY n
The statistics are updated at every Monte Carlo step, but saved to file only after every $n$ steps. The default for $n$ is 1,000 . FILE file
The name of the file in which the statistical observables are stored. The output is in columns and depends upon whether the ALL option is set or not. If the simulation consists of more than one temperature loop the respective loop number is added to every file automatically. The default file is mcrun.stat. The order of the columns in the statistics file is

$$
\text { step } \quad P_{\text {accept }} \quad P_{\text {bump }} \quad\left\langle E_{\text {pot }}\right\rangle \quad \sigma\left(\left\langle E_{\mathrm{pot}}\right\rangle\right) \quad \sigma_{\mathrm{rel}}\left(\left\langle E_{\mathrm{pot}}\right\rangle\right) \quad \sigma\left(E_{\mathrm{pot}}\right) \quad \sigma_{\mathrm{rel}}\left(E_{\mathrm{pot}}\right) \quad \delta_{\text {Lind }} \quad \sigma\left(\delta_{\text {Lind }}\right) \quad \sigma_{\mathrm{rel}}\left(\delta_{\text {Lind }}\right)
$$

The file is an ordinary text file with columns separated by spaces. Notes:

- $P_{\text {accept }}$ is the acceptance rate and $P_{\text {bump }}$ the container bump rate.
- $\langle x\rangle$ is the average of $x, \sigma(x)$ the standard deviation and $\sigma_{\text {rel }}(x)$ the relative standard deviation compared to the average of the averages.
- $E_{\mathrm{pot}}$ is the potential energy. The different deviations correspond to the spread of the respective mean values, $\sigma\left(\left\langle E_{\mathrm{pot}}\right\rangle\right)$, and to the deviation of all potential energies of the sampled configurations (width of the density profile).
- The Lindemann criterion (Rose and Berry, 1992),

$$
\delta_{\mathrm{Lind}}=\frac{2}{N(N-1)} \sum_{i<j}^{N} \frac{\left(\left\langle r_{i j}^{2}\right\rangle-\left\langle r_{i j}\right\rangle^{2}\right)^{\frac{1}{2}}}{\left\langle r_{i j}\right\rangle},
$$

is calculated from the fluctuations of the site centre of mass distances $r_{i j}$.

### 13.9 Step control

The subcommand
STEPS
$\vdots$
options
$\vdots$
END
controls the number of Monte Carlo steps and the maximum displacement at each step. In Jump Walking simulations the actual number of steps might be higher.

NUMBER number
The total number of steps in the Monte Carlo simulation for each temperature loop. In Jump Walking runs this is a minimum step number for a Diver. The default is $1,000,000$.

OPENEND
This option is only used in a Diver of a Jump Walking sampling. If OPENEND is set the program delivers a separate Jumper until the Jumper sends a stop-signal. But on the other hand the simulation takes at least number steps. See also the JUMPWALK command.

MAXDISP ddisp

The initial maximum displacement in the position variable for the adjustment period or the main simulation, respectively. The default is 0.1 bohr.

## MAXROT drot

A new orientation is generated by Euler-type rotation around randomly chosen angles. drot sets the relative range of the rotation angles. If it equals 1.0 the rotations are sampled from the entire range of Euler angles, so that the new orientation is completely uncorrelated to the previous one. If drot is 0.0 the rotational degrees remain unchanged. In most cases the acceptance rate is very sensitive to the variation of the orientation and drot should be set with care. An estimate can be obtained by fixing the positions (i.e. ddisp equals 0.0 ) for various drot. Sometimes it is not necessary to change the orientations at all, e.g. if there is only one non-atomic molecule. Sampling without rotations can be more efficient in this case. The default for $d r o t$ is 0.0 .

COMMANDFILE file
The name of the Command File. The Command File provides control over a running simulation. It is a simple text file which contains keywords. After the keywords have been processed the Command File is deleted automatically, unless the KEEP keyword is present. The default file is mccommand.txt.

Keywords for the Command File are
STOPLOOP
The simulation will end as soon as the current temperature loop is finished.
SKIPLOOP
As soon as the current temperature loop is finished the simulation will leave out the next temperature and jump to the next higher value directly. This keyword could be used more than once to jump over several temperatures.

KEEP
The Command File will not be deleted after it has been read, so all commands will be taken into account after every temperature loop.

### 13.10 Temperatures

The command

```
TEMPERATURE
options
    \vdots
END
```

sets the temperature variable which is used in the importance sampling.
INITIAL initial
The absolute initial temperature of the system in Kelvin. It is used in the importance sampling following the canonical simulation scheme of Metropolis et al. (Metropolis et al., 1953). The default is 0.0.

LOOPS loops
Number of simulation loops with stepwise increased temperature. Every loop is always sampled for the number of steps specified in the STEPS command. After finishing a loop the temperature is increased by delta and the configuration remains unchanged. loops must be 1 in a Jump Walking run. The default number of loops is 1.

DELTA delta
The temperature value in Kelvin which is added after every loop. The default is 0.0 .
SAMESTART
Usually every new temperature loop starts from the last configuration of the preceding one. If SAMESTART is set every loop starts from the same initial configuration.

## 14 Basin-hopping in ORIENT

Many of the facilities in the Monte Carlo section were provided to assist with finding minima and mapping out the transition paths on a potential energy surface. The recommended procedure for this is now basin-hopping(Wales, 2003), and a basinhopping routine is now available in OrIENT.

Basin-hopping is a variant of Monte-Carlo in which the energy associated with a point in configuration space is not the true energy but the energy of the minimum of the basin in which the point lies. At each step, therefore, the energy is minimized. If the resulting configuration is a known minimum, a new step is taken from the current point (not from the minimum). If the configuration is a new minimum, the energy is compared with the energy asociated with the previous point and the step is accepted or rejected using the Metropolis criterion. If the step is rejected, a new step is attempted from the previous point, and if it is accepted, the next step is taken from the current point. Sometimes the minimization fails, usually because the new point is in a spurious well where undamped attractive forces overwhelm the repulsion, or sometimes because the minimization fails to converge. In this case, a new step is taken from the previous point; see the REJECT option below.

Options for the energy minimization should be set using the OPTIONS command (p. 57). The LMBFGS optimization procedure is recommended, but eigenvector following can be used. If the minimizations often fail to converge, the maximum number of steps for the optimization should be increased.

### 14.1 Syntax

The syntax for basin-hopping is as follows:

```
BASIN-HOPPING
\vdots
subcommands
\vdots
END
```

The available subcommands are: VERBOSE
Print more information.
QUIET
Print less information (default).

```
ALLOCATE
    MINIMA n
END
```

Reserve space for details of up to $n$ minima. Default 100 .
TEMPERATURE $T$
Use temperature $T$ kelvin in the Metropolis criterion for accepting or rejecting a possible step. This is not really a physical temperature - just a parameter for the procedure. For a cluster, it should correspond roughly to the energy likely to be needed to dissociate a molecule from the rest of the cluster, relative to the global minimum.
kT energy

Alternative specification of the temperature by giving $k T$ in current energy units.

```
STEPS
    NUMBER n
    MAXDISP }\Delta
    MAXROT }\Delta
    BLOCKS block-list
END
```

Here $n$ is the maximum number of successful hops, $\Delta x$ is the maximum displacement in any coordinate, in current length units, and $\Delta \psi$ the maximum rotation of any molecule, in degrees.

The BLOCKS entry allows for a series of steps to be carried out in which only the positions, or only the orientations, are changed. The block-list is a list of items, each of the form POSITIONS $n$ or ROTATIONS $n$ or ALL $n$. Any number of such items may occur, in any order. For example, ALL 100 POSITIONS 100 ALL 100 ROTATIONS 100
specifies that both positions and orientations may be changed for 100 steps, then positions only for 100 steps, then both for 100 steps, then rotations only for 100 steps. Then the same cycle starts again. Note that even if only positions or only rotations are changed when a step is taken, both positions and rotations may change during the optimization.

## CONTAINER RADIUS $R$

It is usually advisable to specify a container to prevent molecules evaporating from the cluster. The container radius is $R$, in the current length units.

```
REJECT Emin
```

Monte-Carlo and related procedures commonly run into trouble when the potential energy surface has spurious negative singularities, usually because the repulsion is bounded but there are undamped attractive terms that may become infinite. This subcommand specifies that if the energy falls below $E_{\text {min }}$, the system is assumed to be in such a non-physical region. The current step is abandoned, and a new random step is taken from the last acceptable configuration.

```
DIFFERENCE [ENERGY etest] [ MOMENTS | MI | M.I. ] mitest
```

When a minimum is reached, it is compared with previous minima to determine whether it has been seen before. The energy is compared with the energy of each previous minimum, and if it is the same to within etest the principal moments of inertia are calculated and compared. If they are all the same to within mitest the minimum is assumed to be the same. The default etest is $10^{-6}$ hartree, and the default mitest is $10^{-6}$. Energy values specified in the command are assumed to be in current energy units. The M.I. test is based on relative values: if the ratio of corresponding moments of inertia differs from 1 by less than mitest they are taken to be the same. If mitest is set to zero the moments of inertia are not tested.

```
FILES
    file specifications
END
```

Possible items here are
PLOT xyzfile
File for xyz plot files of each minimum. Default minima. xyz.

```
MINIMA minima_file
```

File for the geometry of each minimum, in a form suitable for re-entry into ORIENT.
DUMP-PREFIX prefix
Prefix for dumpfiles. If this is non-null, each minimum geometry is dumped to disc in a file prefixn.dump where $n$ is the number of the minimum. Default is null. The dumpfile gives a detailed specification of the geometry, including the position and orientation of every site. The dumped geometry can be imported into another Orient job by means of the RESTORE GEOMETRY command (p. 13).

## SEED $s$

Specify the seed $s$, an integer between 1 and 9999 , for the random number generator.

```
ADJUST
    options
END
```

The program can be set to adjust the maximum translation or rotation displacement occasionally in order to achieve a satisfactory acceptance ratio in the Metropolis procedure. Options are

TARGET $t$
This is the target acceptance ratio. Default 0.3.
FRACTION $f$
The fraction by which the maximum translation and rotation displacements are to be increased or decreased. Default 0.1. EVERY $n$
Adjustments are to be applied every $n$ steps. Default is 0 , meaning no adjustments.
SWITCH $n_{\text {sw }}$
After every $n_{\text {sw }}$ steps, switch between adjusting the maximum translation displacement to the maximum rotation displacement, or vice versa.

OFF
Don't adjust the maximum displacements. The default is to make no adjustments.
The procedure for adjusting the maximum displacements is as follows. After $n$ steps the maximum displacement is changed by a random fraction between $-f$ and $+f$. If after another $n$ steps the acceptance ratio has improved (got closer to the target) another random change is made. If it has got worse, the previous step size is restored.

## RESTART file

Restart the basin-hopping procedure from the last minimum found. At the end of a basin-hopping run, or if the space for new minima is exhausted, the current configuration is saved in a file called save.cfg. The procedure can be restarted by using the same data file, with the subcommand RESTART save. cfg added to the basin-hopping section. The restart procedure also needs the minima-file, for details of the minima already found. The allocation of space for recording the minima needs to allow for these old minima as well as any new ones that may be found.

### 14.2 Interrupting a basin-hopping job

If a file called 'stop' is created in the directory where the job is running, the procedure will stop cleanly after the current step. It may then be restarted, with changes to the parameters in the data file if required. The stop file needs to be deleted before the job is restarted. The step count starts from the last step taken, so the maximum number of steps may need to be increased.

## 15 Molecular Dynamics in Orient

The forces and energy calculated by the ORIENT program can be used automatically for Molecular Dynamics simulations of the microcanonical ensemble. Time evolution and time averages of various observables may be calculated to estimate, e.g., the kinetic temperature or the Lindemann $\delta$ (Rose and Berry, 1992). The optional stepwise change in the kinetic energy for multiple runs allows the caloric curve of the system to be examined. Furthermore the optimisation routine of Orient is still available to quench the system at arbitrary phase points, so that the potential energy surface can be examined. Alternative integration methods are available including an efficient and stable symplectic integration scheme (Dullweber et al., 1997). All statistics, energies, quench results and geometries of the trajectory can be stored in files to give full information about the dynamics.

The Molecular Dynamics routine in OrIENT is called by the MD command

```
MD
subcommands
\vdots
END
```

An example of a molecular dynamics data section is shown in Fig. 10. The following subcommands control all important parameters and the output of the integration. Many of them have a number of options, which are given one to a line, terminated by a line containing just "end". Energy values are always measured in the current energy unit (See the UNITS command, p. 5). The temperature unit is Kelvin, and times are in femtoseconds (fs).

```
MD
    minimum
    induction 1
    maxstep 100
    niter 500
    dump md01.dump
    restart minimum.dump
    time
        start 0.0
        end 1000000.0
        timestep 1.0
    end
    energy
        initial 0.0002533
        loops 5
        delta 0.000015
        every 500.0
        file md01.eng
    end
    quenching
        every 10000.0
        file md01.quench
        geometry md01.xyz
        title BzAr5-Quenching
        globalmin md01.gmin
    end
    statistics
        all
        every 5000.0
        file md01.stat
    end
end
```

Figure 10: Example data section for an ORIENT molecular dynamics simulation

### 15.1 Integration accuracy

```
ACCURACY
options
\vdots
```

The command determines the relative integration accuracy of the Molecular Dynamics integration corresponding to the total energy of the system and the internal coordinate vector respectively (Evans, 1977; Evans and Murad, 1977; Allen and Tildesley, 1987). The error estimator of the adaptive step size control takes both error limits into account independently. The options are:

ENERGY energy
Relative integration accuracy referring to the initial total energy of the system. The step size control tries to keep the relative standard deviation below the value of energy. This should be the main control variable of the integration precision. If the energy accuracy is too low, i.e. energy is too big, the integration might diverge. The default is $10^{-5}$ Hartree.

COORDINATE coord
Relative integration accuracy referring to the internal coordinate representation (Evans, 1977; Evans and Murad, 1977; Allen and Tildesley, 1987). If the coordinate accuracy is too low, i.e. coord is too big, the integration might diverge but on the other hand excessive precision reduces the integration speed significantly without calculating a better microcanonical trajectory. The default is $10^{-6}$ bohr.

### 15.2 Energy control

ENERGY
$\vdots$
options
$\vdots$
END

This command sets the initial total energy, the energy calculation interval and with it the updating and the file storage of the corresponding statistics. Furthermore it allows a stepwise increase of the kinetic energy during one integration for successive trajectories.

INITIAL initial
The absolute initial total energy of the system. This value is measured in the current energy units. The kinetic part is equally distributed to every vibrational degree of freedom. The initial overall linear and angular momentum always vanish. When restarting an old trajectory this allows the old configuration to be used with a new total energy. If no initial total energy value is given all velocities of the system are unchanged.

LOOPS loops
Number of integration loops with stepwise increased kinetic energy. Every loop is always integrated over the entire time range. After finishing a loop the kinetic energy is increased by delta and distributed to every vibrational degree of freedom. The overall linear and angular momentum are forced to zero afterwards. The configuration remains unchanged. The default number of loops is 1 .

DELTA delta
The kinetic energy value which is added to the system after every loop. The default is 0.0 . The change in temperature can be estimated by dividing by $\frac{1}{2} N k_{B}$, where $N$ is the number of degrees of freedom and $k_{B}$ is the Boltzmann constant.

EVERY $t$
The minimal time-interval at which the different energy contributions are estimated and the statistical variables are updated. Because of the adaptive step size in the time-variable the calculations are not exactly equidistant in time. The use of this option does not automatically cause storage of the energies in a file. The default is 1.0 fs .

FILE file
The name of the file in which the energies are stored after every energy calculation. The output is in columns and depends upon whether the ALL option is set or not. The default file is mdrun. eng.

ALL
This option produces more detailed output. Usually the order of the columns in the energy file is
time-variable kinetic energy potential energy total energy
With the ALL option set the additional columns are the energy contributions
... electrostatic repulsion induction dispersion
The file is an ordinary text file with columns separated by spaces.
The energy of the system can also be set using the command

## TEMPERATURE initial

This command specifies the initial kinetic temperature of the system in Kelvin. The corresponding kinetic energy is equally distributed to every vibrational degree of freedom. The initial overall linear and angular momentum always vanish. When restarting an old trajectory this allows the old configuration to be used with a new kinetic energy.

### 15.3 Lennard-Jones systems

LJATOMS [EPSILON $\varepsilon$ ] [SIGMA $\sigma$ ]
A simple Lennard-Jones pair interaction can be used for a system of atoms, and makes the simulation much faster. The Lennard-Jones potential is used only for the simulation; if the system is quenched the more complex interaction defined in the ordinary way is used. The options specify the well-depth $\varepsilon$ and the diameter $\sigma$ in the Lennard-Jones potential

$$
V_{\mathrm{LJ}}(r)=4 \varepsilon\left[\left(\frac{\sigma}{r}\right)^{12}-\left(\frac{\sigma}{r}\right)^{6}\right]
$$

### 15.4 Integration method

The command
METHOD method
selects the numerical integration method which is used in the simulation.
SYMPLECTIC
An explicit symplectic splitting method (Dullweber et al., 1997) with fixed time-step size is used. The scheme is stable and efficient, and can be used for all rigid body systems without constraints. This integration scheme is recommended and it is the default.

```
BULIRSCH
```

A Bulirsch-Stoer method (Stoer and Bulirsch, 1980; Press et al., 1992) with adaptive step size control and polynomial approximation is used. The accuracy requirements for the total energy and the coordinates are treated independently in the error estimator. This method is suitable for almost all more-or-less smooth potential energy surfaces.

RUNGE-KUTTA
A fifth-order Cash-Karp Runge-Kutta method (Press et al., 1992) with adaptive step size control is used. The accuracy requirements for the total energy and coordinates are treated independently in the error estimator.

It is possible to control a running simulation using a Command File. The comand
COMMANDFILE file
specifies the name of the command file that is to be used. It is a simple text file containing one keyword per line. After the keywords have been processed the Command File is deleted automatically, unless the KEEP keyword is present. The default file is mdcommand.txt.

Keywords for the Command File are
STOPLOOP
The simulation will end as soon as the current energy loop is finished.
SKIPLOOP

As soon as the current energy loop is finished the simulation will leave out the next energy and jump to the next higher value directly. This keyword can be used more than once to jump over several energies.

KEEP
The Command File will not be deleted after it has been read, so all commands will be taken into account after every energy loop.

### 15.5 Plotting configurations

The trajectory can be stored in a file which can be used to visualise the time evolution of the molecular motion. The command is

PLOT options
and the options are:
EVERY $t$
The minimal time-interval (fs) at which the geometries are stored. The default is 1.0 . Because of the adaptive step size in the time-variable the configurations are not exactly equidistant in time. The use of this option automatically causes storage of the geometries in a file.

FILE file
The name of the file in which to save the geometries. The output is in $x y z$-format and includes time information in the title. The default file is mdrun. plot.

TITLE title
The title of the geometry data. It should be enclosed in quotes if it contains spaces. The time corresponding to the configuration is always appended to the title. The default title is MD-Plot.

### 15.6 Quenching

A potential energy surface can be explored by performing a high-temperature molecular dynamics simulation, and quenching the system from time to time - that is, by optimizing the geometry, in effect reducing the temperature to zero so that the system falls into the nearest minimum. Afterwards the simulation continues from the configuration from which it was quenched, i.e., as if the quench had not happened.

The optimization procedure (Wales et al., 1995) is controlled by a preceding OPTIONS section, as for the OPTIMIZE environment. The quenched energies and optionally the geometries are written to specified files.

The command is

```
    QUENCHING
    \
    END
```

and the options are:
EVERY $t$
The minimum time-interval at which the trajectory is quenched. Because of the adaptive step size in the time-variable the calculations are not exactly equidistant in time. The default of $t$ is 0.0 (no quenching).

FILE file
The file where the optimized energies are stored. The output is in columns in the order
time-variable total energy
The default file is mdrun. quench.
GEOMETRY geofile
If this file is specified the optimized geometries are stored in geofile.xyz. The output is in xyz format, with one frame for each quenched geometry, and includes energy information in the title. The default geofile is mdrun.qgeo.

TITLE title
The title used in the geometry data file. The corresponding energy is always appended to the title. The default title is MD-Quenching.

GLOBALMIN gmfile
If this file is specified the lowest-energy configuration of all quenched geometries is saved separately. This can be used to look for the global minimum during a simulation. The configuration is saved in $x y z$ format (gmfile) and in a dump-file (gmfile . dump) which is suitable for the RESTART command.

### 15.7 Dumping and restarting a trajectory

DUMP file
Dump the final positions to the specified file at the end of the trajectory, and the velocities to a file file.moldyn.
MDRESTART [file]
This command causes an old Molecular Dynamics trajectory to be restarted. It is different from the RESTART command because it also expects the information about the initial velocities which are stored when the DUMP command is used in the MD environment. The specified file contains the old trajectory. To save all information about a trajectory the DUMP command should have been used in a previous integration. In this case the configuration will have been stored in file and is accessible to the RESTART command. In addition the velocities will have been stored in file moldyn. Both files are necessary for the RESTART command.

### 15.8 Statistics

```
STATISTICS
    \vdots
options
    \vdots
END
```

This command controls the calculation of the statistical observables in the Molecular Dynamics run. All observables are time averages and should converge during the integration.

EVERY $t$
The minimal time-interval at which the statistical observables are saved to file. The default is 1000 fs . The frequency of updating the statistics is not affected by this value but is determined by the EnERGY command. Because of the adaptive step size in the time-variable the output is not exactly equidistant in time. The use of this option automatically causes storage of the statistics in a file.

FILE file
The name of the file in which the statistical observables are stored. The output is in columns and depends upon whether the ALL option is set or not. The default file is mdrun.stat.

ALL
This option produces more detailed printing. Usually the order of the columns in the statistics file is

$$
t\left\langle\begin{array}{lllllllll}
\left\langle E_{\text {tot }}\right\rangle & \sigma\left(E_{\text {tot }}\right) & \sigma_{\text {rel }}\left(E_{\text {tot }}\right) & T_{\text {kin }} & \sigma\left(T_{\text {kin }}\right) & \sigma_{\text {rel }}\left(T_{\text {kin }}\right) & \delta_{\text {Lind }} & \sigma\left(\delta_{\text {Lind }}\right) & \sigma_{\text {rel }}\left(\delta_{\text {Lind }}\right)
\end{array}\right.
$$

With the ALL option the additional columns are the observables

$$
T_{\text {vib }} \quad \sigma\left(T_{\text {vib }}\right) \quad \sigma_{\text {rel }}\left(T_{\text {vib }}\right) \quad T_{\text {rot }} \quad \sigma\left(T_{\text {rot }}\right) \quad \sigma_{\text {rel }}\left(T_{\text {rot }}\right) \quad P_{\text {lin }} \quad \sigma\left(P_{\text {lin }}\right) \quad \sigma_{\text {rel }}\left(P_{\text {lin }}\right) \quad P_{\text {ang }} \quad \sigma\left(P_{\text {ang }}\right) \quad \sigma_{\text {rel }}\left(P_{\text {ang }}\right)
$$

The file is an ordinary text file with columns separated by spaces. The notation is as follows:

- $\langle x\rangle$ abbreviates the time average of $x, \sigma(x)$ the standard deviation and $\sigma_{\text {rel }}(x)$ the relative standard deviation compared to the average of the time averages.
- $t$ is the time, $E_{\text {tot }}$ the total energy and $T_{\text {kin }}$ the kinetic temperature. $P_{\text {lin }}$ and $P_{\text {ang }}$ are the overall linear and angular momentum of the system, respectively, and are given in atomic units.
- The Lindemann criterion (Rose and Berry, 1992),

$$
\delta_{\text {Lind }}=\frac{2}{N(N-1)} \sum_{i<j}^{N} \frac{\left(\left\langle r_{i j}^{2}\right\rangle-\left\langle r_{i j}\right\rangle^{2}\right)^{\frac{1}{2}}}{\left\langle r_{i j}\right\rangle}
$$

is calculated from the fluctuations of the site centre of mass distances $r_{i j}$.

- The vibrational and rotational temperature, $T_{\mathrm{vib}}$ and $T_{\text {rot }}$, respectively, are defined as the kinetic temperature calculated only from the rotational and vibrational degrees of freedom, respectively. Any difference between the two values results from the internal use of non-reduced coordinates.


### 15.9 Time step control

TIME
$\vdots$
options
$\vdots$
END

The command sets the integration time of the Molecular Dynamics simulation and defines the boundaries for the adaptive step size control. Times are in femtoseconds (fs). MINDT, MAXDT and MAXITER are only required for integrations using an adaptive step-size scheme.

```
START starttime
```

Specifies the starting time-point of the integration. The default is 0.0 .

Specifies the finishing time-point of the integration. The default is 1000.0.
TIMESTEP $d t$
The length of a time step (in fs) for the symplectic integration scheme. The default is 0.0 .
MINDT min
MAXDT max
Lower and upper limits for the adaptive time-step size in the integration routine. The default lower limit is 0.0001 fs. Usually this limit should be reached only if the potential energy surface is too rough or the integration errors are too big. The default upper limit is 1000.0 fs . This value can control the global integration accuracy but this should normally be done by the ACCURACY command so that this limit is never reached.

MAXITER iter
Upper limit of the internal integration step number to prevent the program running for ever. The default is $10^{8}$.

## 16 Calculation of the second virial coefficient

ORIENT can calculate pressure and dielectric virial coefficients. The second pressure virial coefficient $B(T)$ is calculated by integration of the standard formula (Gray and Gubbins, 1984, p. 210):

$$
B(T)=-\frac{1}{2} \iint\left[\exp \left(-U_{12} / k T\right)-1\right] \mathrm{d} \Omega \mathrm{~d}^{3} \mathbf{r}+\frac{\hbar^{2}}{24(k T)^{3}}\left[\frac{\left\langle\mathbf{F}^{2}\right\rangle_{0}}{M}+\sum_{\alpha} \frac{\left\langle T_{\alpha}^{2}\right\rangle_{0}}{I_{\alpha \alpha}}\right] .
$$

The first term of this expression is the classical expression; the second is the quantum correction to order $\hbar^{2}$, involving the mean square force $\left\langle\mathbf{F}^{2}\right\rangle_{0}$ and the mean square torques $\left\langle T_{\alpha}^{2}\right\rangle_{0}$ on one molecule. $M$ is the molecular mass and the $I_{\alpha \alpha}$ are the molecular principal moments of inertia.

Two options are available for the integration over orientations. The molecules are positioned with their respective origins at $(0,0,0)$ and $(0,0, R)$. The relative orientation is defined by three Euler angles $(\alpha, \beta, \gamma)$ for each molecule, but $\alpha_{1}$ can be fixed at zero. This leaves five angles for non-linear molecules, and three for linear ones, where the integrand is independent of $\gamma_{1}$ and $\gamma_{2}$. For the linear case, a Gauss-Legendre integration scheme over $\beta_{1}$ and $\beta_{2}$, with uniform integration over $\alpha_{2}$, is most efficient, but for non-linear molecules a Sobol quasirandom sequence (Press et al., 1992) of relative orientations of the two molecules is recommended, to provide a uniform coverage of the orientational space. For each relative orientation $\Omega$, the Mayer function $f(R, \Omega)$ is evaluated for distances $R$ from some maximum value $R_{\max }$ by steps $\Delta R$ downwards. This process stops when $R$ reaches a specified minimum value $R_{\min }$ or when the Mayer function becomes close to -1 . (This procedure overcomes a problem that arises with many model potentials, where the potential becomes large and positive as $R$ decreases but then decreases to spurious large negative values for very small values of $R$.) The values of the Mayer function at each $R$ are accumulated to obtain the orientational integral, and these values are then integrated numerically over $R$ to obtain the virial coefficient. The values of the Mayer function are also written to a file (the 'Mayer-function file', see below), and can be read in again by a subsequent job.

The data file must contain specifications of two molecules and the interactions between them. The molecular positions and orientations must be given in the form

MOLECULE name at x1 y1 z1 rotated alpha1 beta1 gamma1
The name of the molecule is arbitrary but the names of the variables must be as shown. Similarly the position and orientation of molecule 2 must be given using the variables x 2 , y 2 , z 2 , alpha2, beta2 and gamma2. There must be a variables declaration of these variables at the beginning of the program, but the values provided are irrelevant since the program changes them in the course of the integration.

The integration is carried out by a VIRIAL command, which has the form
VIRIAL qquad subcommands END
with the following sub-commands:

```
CLASSICAL
```

Calculate the pressure virial coefficient, omitting quantum corrections. This is the default.
QUANTUM
Calculate the pressure virial coefficient, including quantum corrections. (It takes considerably longer to do this.)
DIELECTRIC [SWITCH $R_{s}$ ] [OMIT INDUCTION]
Calculate the dielectric virial coefficient. The formulae used are taken from Joslin and Goldman (1993); there are different formulae for the short-range and long-range regions, but their ranges of validity overlap. The SWITCH parameter $R_{s}$ specifies where the switch from one formula to the other occurs. It should be large enough for the molecules not to overlap significantly at any relative orientation. The numerical values for both formulae are written to the Mayer-function file, so they can be inspected and if necessary the radial integration can be repeated with a different switch point. (See the Integrate option below.) The values from the short-range and long-range formulae should be approximately the same over a range of values of $R$. Differences are due in part to numerical errors in the angular integration, but for small $R$ the long-range formula is invalid. At long range both formulae are formally valid, but the short-range formula is much more susceptible to numerical error. The should be a range of values of $R$ where the formulae approximately agree, and the switch between the formula may be taken anywhere in this range without affecting the calculated result very much. OMIT INDUCTION specifies that the induction term, which is usually small, is to be omitted. (This option does not omit the effects of induced dipole moments, which are often large, but the effects arising from the difference between the dimer polarizability and the tensor sum of the polarizabilities of the individual molecules.)

STEPS BY $\Delta_{1}$ TO $R_{1}$ BY $\Delta_{2}$ TO $R_{2}$ Specifies the radial integration range and stepsize (see above). The radial integration can be broken into a number of ranges, using a step-size of $\Delta_{1}$ from $R=0$ out to $R=R_{1}$, then a step-size of $\Delta_{2}$ out to $R=R_{2}$, and so on. A smaller step-size is needed in the region where the interaction energy is varying rapidly, and a larger step can be used at greater distances.

```
SOBOL [[ORIENTATIONS] N ] [[INDUCTION] N Nind ] [DISPLAY n ]
```

Specifies a Sobol integration scheme. The default number of orientations is 2048, but this will probably not be enough for an accurate result. The number given is rounded up to a power of 2 . If $N_{\text {ind }}$ is specified, the induction term, which is usually small and is quite time-consuming to evaluate, is calculated for only $N_{\text {ind }}$ orientations (rounded up to a power of 2 ). The results are displayed after $n$ orientations (rounded up to a power of 2 ), and therafter at each power of 2 . This makes it possible to specify a large number of orientations and to monitor convergence while the calculation is running, stopping it when it has converged. If the display option is omitted, results are displayed starting at 512 orientations. Display 0 specifies that only the final results are to be displayed.

```
GAUSS [ALPHA no\alpha] [BETA n
```

Use a Gauss-Legendre integration scheme over the $\beta$ coordinates, as described above, and uniform integration over $\alpha_{2}$, $\gamma_{1}$ and $\gamma_{2} . n_{\alpha}, n_{\beta}$, and $n_{\gamma}$ are the number of integration points in each angle. The default values are 7,7 , and 1 respectively, which will normally give a reasonable result for linear molecules. For non-linear molecules, $n_{\gamma}$ must be increased. If the molecule has a $C_{n}$ symmetry axis, $n$ and $n_{\gamma}$ should have no common factor. For a molecule with a $C_{3}$ axis, for example, 3-point integration over $\gamma$ will simply evaluate the same contribution 3 times. Here 2-point integration would give a better result (but 5-point or 7-point would be better still).

CHECK POTENTIAL [MAX $E_{\max }$ ] [QUIET]
Some potentials, notably the exp-6, rise to a maximum on the repulsive wall and then decrease, eventually approaching $-\infty$ as $R \rightarrow 0$. This leads to spurious large positive contributions to the Mayer function at short range, and will often cause a floating-point exception. If check potential is specified, the program checks for cases when, after reaching $E_{\max }$ or more, the potential decreases as $R$ decreases. If this happens, the Mayer function is set to -1 (corresponding to a large positive energy) for all smaller values of $R$. The value of $E_{\max }$ may be specified (in the current energy units) if required, but the default value of 0.01 a.u. should normally be satisfactory. The program reports any anomalies on standard output unless
quiet is specified, and prints a summary of them in any case. If many anomalies are reported, it is an indication that the potential is unsatisfactory. Damping the induction and dispersion terms will usually overcome the problem.

TEMPERATURES $T_{1} \quad T_{2} \quad T_{3} \quad \ldots$
Temperatures, in Kelvin, for which the virial coefficient is to be evaluated. This command may be repeated if many temperatures are required. It is most efficient to do all temperatures at once.

MAYER file
Specifies, optionally, the name of the file to which are written values of the Mayer function, averaged over orientations, together with the quantum correction terms if they are calculated. Default is mayer .out.

VIRIAL file
Specifies, if required, a file to which the values of the virial coefficient are written, with the quantum corrections if specified.
The default is to write the virial coefficient results to standard output only.
SAVE file [n]
(For Sobol integrations only.) Save the state of the calculation to the specified file after every $n$ orientations, so that the calculation can be restarted later. Default $n=1024$.

RESTART file
Restart a calculation that was previously saved in the specified file.
INTEGRATE file
Read in Mayer function data from a file produced in a previous calculation, and carry out the radial integration. This requires little computation time, and is particularly useful in calculations of the dielectric virial coefficient.

## 17 Optimizing potential parameters

Most of the parameters defining an OrIENT potential are obtained from ab initio calculations on the individual molecules, and do not need to be fitted to data describing the interaction. The repulsion parameters, however, do need to be fitted in this way, and so may dispersion and damping function parameters. Procedures for doing this are now available in Orient, using ab initio results obtained using either the InterMolecular Perturbation Theory (IMPT) of Hayes and Stone (1984) or the Symmetry-Adapted Perturbation Theory (SAPT) of Jeziorski et al. (1994).

### 17.1 Repulsion parameters

The procedure for repulsion is as follows. First, define the two molecules concerned in the usual way. The distributed multipoles should be determined ab initio for each molecule, using the same basis set as in the perturbation theory calculation. In the case of IMPT, SCF multipoles should be used; for SAPT, they should be CCSD values; and for SAPT-DFT they should be DFT values calculated with the same functional as for the energies. The repulsion should be defined using the PAIRS section in the usual way; the parameters specified will be used as starting values for the optimization. Do not include any dispersion or induction. (See below for fitting dispersion damping parameters.)

A new data section is needed to specify the ab initio values to be used for fitting. It takes the form

```
\begin{tabular}{llllll} 
FIT & \(v_{1}\) & \(v_{2}\) & \(v_{3}\) & \(\ldots\) & ENERGY [WEIGHT] \\
\(x_{1}\) & \(x_{2}\) & \(x_{3}\) & \(\ldots\) & \(E\) & {\([W]\)} \\
\(x_{1}\) & \(x_{2}\) & \(x_{3}\) & \(\ldots\) & \(E\) & {\([W]\)}
\end{tabular}
END
```

Here $v_{1}, v_{2}$, etc., are the names of variables used to define the geometry, while ENERGY and (optionally) WEIGHT appear literally as given. There follows a table of geometries, each specified by the values $x_{1}, x_{2}$, etc., of the geometry variables, followed by the value $E$ of the energy for that geometry, and, optionally, a weight. The energy given should be the total
first-order energy. The weight is the statistical weight to be assigned to the energy point in the fitting process; if it is omitted, or if the Weight keyword is omitted, a weight of 1 is assigned. (But see below for the WEIGHTS command in the ADJUST data section.) If a file is imported from elsewhere, the table may include one or more irrelevant columns. Rather than edit out each such column, it is sufficient to include the keyword Ignore in the header for each one.

The fitting process is specified by an ADJUST data section. This starts with a VARIABLES subsection, which takes the same form as a PAIRS section, but instead of parameter values it takes string arguments, which are arbitrary names (maximum 8 characters) for those parameters that are to be optimized. A null string, or either of the strings " 0 " or "-" denotes that the corresponding parameter is to be kept constant during the optimization.

The following may also occur in an ADJUST section:

```
PENALTIES
F
F
END
```

Each line of a Penalties declaration specifies a penalty function that is to be added to the sum of squares being minimized. This can be used to overcome problems of linear dependence or near-dependence of the parameters, or to impose conditions that they should satisfy. The penalty function takes the form $F\left(c_{1} p\left(n_{1}\right)+c_{2} p\left(n_{2}\right)+\ldots\right)^{2}$, where $p(n)$ is the parameter whose name was given as $n$ in the ADJUST section. There is a dummy parameter called " 0 " whose value is 1 ; a coefficient $c_{0}$ can be specified for it in order to incorporate a constant into the penalty function. $F$ is a multiplying constant, and is an energy value in the current energy units. An example of a penalty function declaration is

```
Penalties
    1.0 rhoA 1.0 rhoB -1.0
    1.0 alphaA 1.0 alphaB -1.0
    1.0 rhoA 1.0 rhoC -2.0 rhoB 1.0
end
```

This specifies that parameters 'rhoA' and 'rhoB' are to be kept approximately equal, as are parameters 'alphaA' and 'alphaB', while parameter 'rhoc' is to be kept approximately equal to the average of 'rhoA' and 'rhoB'. The value of $F$ can be used to modify the strength of the penalty without the need to change all the coefficients.

An alternative, simpler, form of penalty may be defined using anchors:

```
ANCHORS
n
n
\vdots
END
```

Here $n_{i}$ is a parameter name, $a_{i}$ is its anchor value, and $w_{i}$ is the weight of this anchor. This defines a penalty $w_{i}\left(p\left(n_{i}\right)-a_{i}\right)^{2}$, where $p\left(n_{i}\right)$ is the value of parameter $n_{i}$. This form of penalty is useful where an approximate value of the parameter has been found by some means and the fitted value is to be prevented from departing too far from the approximate value. The weight $w_{i}$ is an energy in the current energy units.

The total number of penalties may not exceed the number of parameters.
Other items that may occur in an ADJUST section include the following:

```
STEP s
ITERATIONS n
CONVERGE c
WEIGHTS [ EXP kT | RELATIVE | LOG | MIXED e ]
```

The STEP value is the maximum amount by which a parameter may change in one optimization step, and the ITERATIONS value is the maximum number of iterations. The optimization is considered to have converged when the r.m.s. derivative of the weighted sum of squares of the residuals with respect to the parameters falls below the convergence criterion $c$. WEIGHTS specifies the weighting of the data points. It over-rides any explicit weights specified in the FIT data section. The possible weighting schemes are:

- Exponential weighting specifies that points with energy $E$ are to be given weight $\exp (-E / k T)$, where $k T$ is an energy in whatever energy units are currently being used. A value of $2.5 \mathrm{mH}=790 \mathrm{~K}$ is usually satisfactory.
- Relative weighting specifies that points with energy $E$ are to be given a weight proportional to $1 / E^{2}$. This is equivalent to assuming that the uncertainty in an energy $E$ is proportional to $E$.
- Logarithmic weight assigns a weight $|\log (|E|)|$ to a point with energy E. This gives a higher weighting to points with smaller energies, but in a much milder fashion than relative or exponential weighting.
- Mixed weighting gives a weight $1 / E^{2}$ to points with $|E|>e$, and a uniform weight $1 / e^{2}$ to points with energy $|E|<e$. The value of $e$ should be specified in the current energy units.


### 17.2 Dispersion damping parameters

Dispersion is fitted in a similar way to repulsion. Here the energy values provided in the FIT data section are ab initio dispersion energies. Multipole moments must not be specified (use 'Default rank -1 '), and the PAIRS section must specify only dispersion, not repulsion. The dispersion specification may include $C_{n}$ coefficients and their anisotropies in the usual way, and damping functions may be specified as required. Again, the VARIABLES part of the ADJUST data section takes the same form as the PAIRS section, with arbitrary non-null names to denote the values that are to be optimized and null strings to denote any that are to be kept fixed.

An additional item that may be found necessary in fitting dispersion parameters is

| SCALE |  |
| :---: | :---: |
| $n_{1}$ | $s_{1}$ |
| $n_{2}$ | $s_{2}$ |
| $\vdots$ |  |
| END |  |

The parameter with name $n_{1}$ is to be scaled by the factor $s_{1}$. That is, the variable used in the fitting procedure has a value $s_{1}$ times smaller than the physical parameter $n_{1}$. Fitting procedures are much more efficient if all the variables and their derivatives have similar magnitudes, so a suitable value for the scale factor of any parameter is an estimate of its likely value. However this is a very crude prescription, and the scale factors may need to be adjusted in the light of experience. Note that the maximum step-size applies to the scaled values. A parameter such as a $C_{8}$ coefficient, which may have a value of 50,000 in atomic units, will be optimized very slowly indeed with a typical step-size of order 1 unless it is scaled, and scaling will allow larger steps to be taken.

## 18 Graphical displays

Version 4.6 the program can display some calculated properties graphically. If compiled from source, this part of the program needs a Fortran 2003 compiler. See the INSTALL file for details.

In principle, any scalar or vector field that can be calculated on a grid of points on the molecular surface can be displayed. At present the program can display the energy of interaction between a probe atom and a specified molecule at a grid of points on the molecular surface, or the difference between two such energies. The probe atom is defined in the usual way. Two special cases are predefined: in the first case the probe is a unit charge, and in the second case it is a set of unit dipoles in the $x, y$ and $z$ directions. In both of these cases, the only interaction considered is that with the charge distribution of the specified molecule, so the result is either the electrostatic potential or the electric field, which are reported in Volts or V/A respectively. Otherwise the complete interaction of the probe with the molecule is calculated, and the result is an energy in whatever units are in use.

The command is

```
DISPLAY [ POTENTIAL | FIELD | ENERGY | SCALAR | VECTOR ]
    options
    [PROBE probe]
END
```

If energy is specified, it is necessary to define and specify a probe atom, and the energy of interaction with it is displayed. It is an error to specify a probe if the potential or field is required, or to omit it otherwise. Scalar is a synonym for energy, but may be used if the intention is to read in values of some other property. Similarly vector is a synonym for field.

The options are:
TITLE title
Define a title for the display window. It must be enclosed in quotes if it contains spaces.

```
RADII [SCALE s] [ADD a] ...
```

Modify the atom radii (which must be previously defined via the Types command) by multiplying them by the scale factor $s$ or by adding $a$. These actions may be specified more than once and in any order, and are carried out in the order given.

STEP s
Any grid subsequently generated is to have points separated by approximately $s$. The actual step may vary over the molecular surface, and if the Goldberg grid option is used (see below) it only changes by factors of 2 , so small changes in the specified step may have no effect at all.

The scalar display is set up by covering the molecular surface with triangles, the scalar function being evaluated at the vertices of the triangles. By default, the program allocates space for 10,000 vertices and 20,000 triangles. (Euler's formula $v+f=e+2$ tells us that there are approximately twice as many triangles as vertices.) If this limit is not sufficient, the program will stop, first printing an estimate of the number needed. The following commands can then be used in a resubmitted job to provide an adequate number:

```
VERTICES v
TRIANGLES }
```

Only one of these is needed; the program uses Euler's formula to determine the other.

```
MOLECULE molecule
```

Subsequent commands refer to the molecule specified.

```
GRID [ GOLDBERG | EXP [a] | HARD-SPHERE ]
```

Construct a surface grid for the specified molecule. This must follow any options that affect the construction of the grid, i.e. those listed above.

For potential or energy displays, two algorithms are available for constructing the molecular surface. One uses a Goldberg icosahedron, obtained by shrinking an icosahedron onto the molecular surface and subdividing each triangle until the required resolution is obtained. The other uses the 'marching cubes' algorithm, in which the space occupied by the molecule is divided into cubes of size specified by the STEP parameter, and any portion of the molecular surface that crosses a cube is split into triangles.

The marching cubes algorithm is more robust - it can deal with arbitrarily complicated molecular shapes - and it is the default. The default EXP option uses the marching cubes algorithm to find the surface on which $\sum \exp \left[-a\left(r_{i}-R_{i}\right)\right]=1$, where $r_{i}$ is the distance from atom $i$ and $R_{i}$ is its radius, as specified above. For a single atom $i$ this gives a spherical surface of radius $R_{i}$; for a molecule it gives a smooth surface enclosing the atom spheres. The parameter $a$ can be specified, but the default value of 2.0 is suitable. A larger value of $a$ can be used to make the enclosing surface cling more closely to the atom spheres. The HARD-SPHERE option is equivalent to specifying a very large value of $a$.

## EXPORT [FILE] file [ WITH | WITHOUT ] [ VALUES | TRIANGLES ] ...

Write to the specified file the details of the grid points and, optionally, the energy or other values calculated for each grid point and the triangle indices for the display. The grid-point coordinates, and the data values if included, are converted using the current units, as specified by the UNITS command. The triangle indices must be included if it is intended to read the resulting file back in to Orient for display in a subsequent job. The default is WIth triangles without values. If neither WITH nor WITHOUT is specified before VALUES, WITH is assumed.

IMPORT [FILE] file [INDEXED] [ WITH | WITHOUT ] [ VALUES | TRIANGLES ] ...
Read the details of the grid points and triangle indices previously written by an EXPORT command. If data values were also written to the file, and WITH VALUES is specified, they will be read; otherwise any data values will be ignored and new values will be calculated. The grid-point coordinates and the data values will be converted to internal units (bohr and hartree) on the assumption that they are given in the current units, as specified by the UNITS command. The default option is WITH TRIANGLES WITHOUT VALUES as for EXPORT. Sometimes a set of values may be generated by another program. In this case the file format is

$$
\begin{aligned}
& n_{p} n_{t} \text { points points } \\
& \text { list of } \\
& \text { list of triangles }
\end{aligned}
$$

Here $n_{p}$ is the number of points and $n_{t}$ the number of triangles. Each point is specified by a single line:
[index] x y z [value [value value]]
The lines may be numbered sequentially, and in this case INDEXED must be specified on the IMPORT command line. If values
are expected, a single value is needed for a scalar property, and three for a vector property. Any further characters on the line are ignored. The triangle list comprises one line for each triangle, containing three integers specifying the vertices of the triangle. If necessary this may be cut and pasted from an exported file.

COMPARE [FILE] file [INDEXED]
Read the details of the grid points and values and the triangle indices previously written by an EXPORT command. The quantity subsequently displayed is the difference between the new value calculated in the current job and the value read from the file. The file format is as for IMPORT.

If COMPARE or IMPORT is used, the GRID command must be omitted, and RADII, STEP, VERTICES and TRIANGLES are irrelevant.

A ball-and-stick representation of the molecule can be displayed by

```
BALL-AND-STICK
```

The bonding can be specified in the molecule definition (p. 19) or by using the EDIT command (p. 40). The colours used for atoms and bonds are defined in the TYPES command, either by reference to the atomic number (for $Z \leq 18$ ) or explicitly.

VIEWPORT $d$
Display the molecule in a cube extending from $-d$ to $d$ in $x, y$ and $z$. (But note that this can be changed using the mouse see below.) Default is $d=10 \mathrm{bohr}$.

BACKGROUND \{ GREY | RGB | RGB255 | RGBX \} colour
Specify the background colour for the display. Colours are specified as a single number between 0 and 1 (for grey-scale), as a set of 3 numbers between 0 and 1 (RGB), as a set of 3 numbers between 0 and 255 (RGB255) or as a single string of 6 hex digits (RGBX) the first pair of digits specifying the red value, the second pair the green and the third pair the blue. The default background colour is white.

The following options apply only to scalar fields:

```
COLOUR-SCALE [MIN a] [MAX b] [BOTTOM b] [TOP t] [ ON | OFF ]
```

The colour scale is to run from $a$ to $b$. Values are in volts for a potential display and in the current energy unit otherwise. The colour-scale can also be turned on or off; the default is on for a scalar display and off for a vector display. Normally the colour scale bar runs from $a$ to $b$, but if TOP is specified, the value $t$ corresponds to the top of the colour scale bar; similarly $b$ corresponds to the bottom if BOTTOM is specified. The colour bar is then grey except between the limits $a$ and $b$ of the colour scale. For example,
Colour-scale min -10 max -5 top 0
might be used for a display of dispersion energies with values between -5 and -10 , the top of the scale bar being set at 0 .

If the MIN and MAX values are not specified, the minimum and maximum of the displayed dataset are used.

```
COLOUR-MAP [ HLS | HSV ]
    n hue lum sat [or hue sat val]
END
```

Define a colour map for the colour scale. The colours can be defined by hue, luminance and saturation (HLS, the default) or by hue, saturation and value (HSV). Luminance and value are related but not the same; less obviously, saturation is different in the two schemes. See "HSL and HSV" in Wikipedia for an explanation. In either case, the colour map is defined by specifying the colours at several levels, denoted by $n$, between the minimum and maximum of the colour scale. The first level is numbered 0 , and there may be up to 32 levels, but not all of them need to be specified - the program interpolates linearly to fill in missing values. For example, two of the maps below run from dark greenish blue (hue 210, low luminance) through blue (hue 240) and white (saturation 0, hue irrelevant) to red (hue 0 or 360) and dark brownish red (hue 30 or 390, low luminance). They illustrate the differences between HLS (left) and HSV (centre). The right-hand picture shows the conventional 'rainbow' map, and the data for it illustrates that the interpolation can run from high values to low as well as low to high.

| Colour-map |  |  |  |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
| 0 | 210 | 0.25 | 1 |
| 6 | 240 | 0.75 | 1 |
| 12 | 300 | 1.0 | 0 |
| 18 | 360 | 0.75 | 1 |
| 24 | 390 | 0.25 | 1 |
| End |  |  |  |


| Colour-map |  |  |  |
| :--- | :--- | :--- | :--- |
| hsv |  |  |  |
| 0 | 210 | 1 | 0.25 |
| 6 | 240 | 1 | 0.75 |
| 12 | 300 | 0 | 1.0 |
| 18 | 360 | 1 | 0.75 |
| 24 | 390 | 1 | 0.25 |
| End |  |  |  |


| Colour-map |  |  |  |
| ---: | ---: | ---: | ---: |
| 0 | 240 | 1 | 1 |
| 24 | 0 | 1 | 1 |
| End |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

I
Hue values are interpolated between the numbers given and then taken modulo 360, to allow values to be interpolated past the ends of the scale, normally taken to be 0 and 360 . The program doesn't provide a default colour map, because the map should be designed to suit the problem. However the left and centre maps are suitable for displaying potentials, or differences between two calculations of the same quantity. In these cases zero should be in the middle of the scale. The rainbow map is often used but is not usually a good choice. See Rogowitz and Treinish (1996) for a very useful guide to the design of colour maps, and for reasons for not using the rainbow map.

```
COLOURS { GREY | RGB | RGB255 | RGBX }
    \vdots
    colours
END
```

This is another way to define the colours used in the colour scale. It is available for backwards compatibility, but is deprecated. Colours are specified one per line, as a single number between 0 and 1 (for grey-scale), as a set of 3 numbers between 0 and 1 (RGB), as a set of 3 numbers between 0 and 255 (RGB255) or as a single string of 6 hex digits (RGBX) the first pair of digits specifying the red value, the second pair the green and the third pair the blue.

The following option applies to vector displays only:

```
SCALE s
```

Apply the scale factor $s$ to the length of the vectors. For electric field displays, the values are in $\mathrm{V} / \AA \AA$, and a scale factor in the range $100-1000$ or thereabouts is likely to be suitable. The default value is 200 .

It may take a while for the display to appear, as the field to be displayed has to be computed at each grid point. Once the display has appeared, the mouse can be used to rotate the displayed molecule about axes in the plane of the display, by dragging with the left button, to increase or decrease its displayed size (actually by decreasing or increasing the viewport) by dragging with the right button, and to rotate about the $z$ axis (perpendicular to the plane of the display) by dragging with the middle button.

There are also a few keys that affect the display. " Q " causes the program to quit; " R " resets the display to its original size and orientation. "H" hides the surface or vector display; if repeated the display is restored. This is useful to permit a clearer view of the ball-and-stick model of the molecule, since the colours are often obscured by the colours of the surface display. Upper and lower case are equivalent in these key commands.

In vector displays, the vectors are normally drawn with their tails attached to the grid point, with outward-pointing vectors in red and inward-pointing ones in blue. The "-" key changes this so that the head of each vector is attached to the grid point. Repeated use of the "-" key toggles between these two options.

The scale factor applied to the vectors can be changed. Any of the digit keys $1-9$ causes the length of the vectors to be multiplied by that digit. The " $/$ " key changes this behaviour: subsequent digits cause the length to be divided by the corresponding number. The "*" key restores the original behaviour. The " 0 " key suppresses the vectors entirely, but a second press of the same key restores them.

## 19 Using ORIENT as a subroutine for other programs

Orient has been designed so that you can easily use it as a subroutine to provide values of interaction energies for use in other calculations. It has been used in this way, for example, to carry out Diffusion Monte Carlo calculations of intermolecular vibrational wavefunctions (Meredith and Stone, 1998).

The procedure for doing this is as follows. The main program 'runorient' provided with the package needs to be replaced by your own program. This must begin with a set of USE statements of the form

USE <module>, ONLY : <names>
The purpose of these statements is twofold. First, some modules need to be referenced in this way so that subroutines and variables defined in them are available to your program. These subroutines and variables are listed by name following the colon. Secondly, some modules need to be referenced in your main program because they contain variables whose values need to be preserved between calls to ORIENT subroutines. If you do not USE the module in your main program, their values may be lost between calls.

The first statement of your program, apart from any initialization that you wish to do, should then be CALL ORIENT
This will cause Orient to read its data from standard input in the usual way, in order to define your molecules and their properties. It is also possible to carry out any of the normal ORIENT procedures. One such procedure that you might want to use is the show variables command, which will list the variables (as defined in the data file) that specify the positions and orientations of the molecules. This part of the data file should be terminated with Finish. ORIENT will then exit, returning to your program. You can now carry out whatever further calculations you wish, calling ORIENT subroutines as required. An example is shown in Fig. 11 (p. 113). It probably isn't necessary to USE all of the modules shown in Fig. 11, but it will do no harm to do so. The subroutine 'energy' is provided specifically for this application - it isn't used in the Orient program itself. The variables es, er, eind, edisp and etotal return the electrostatic, exchange-repulsion, induction, dispersion and total energies respectively.

```
PROGRAM my_prog
USE parameters, only :
USE indparams, only :
USE alphas, only :
USE binomials, only :
USE consts, only :
USE derivs, only :
USE geom, only :
USE global, only :
USE induction, only :
USE interact, only :
USE io, only :
USE labels, only :
USE lattice, only :
USE mc, only :
USE md, only :
USE minimize, only :
USE molecules, only :
USE monolayer, only :
USE optimize, only :
USE optimize_layer, only :
USE plot, only :
USE switches, only :
USE tabulate, only :
USE types, only :
USE variables, only :
USE sites, only :
USE sizes, only :
USE sizes, only :
IMPLICIT NONE
DOUBLE PRECISION :: es,er,eind,edisp,etotal
! Read data for Orient
call orient
! Initialize your calculation
.
! Program loop
do while ...
! Set molecular positions and orientations
! in the values array
values (1)=...
values(2)=...
! Calculate energy for this geometry
call energy(values,es,er,eind,edisp,etotal)
call energy(values,es,er,
call private(etotal)
end do
END PROGRAM my_prog
DOUBLE PRECISION :: values(40)
```

Figure 11: Organization of a program to use Orient as a subroutine.

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## Change Log

## Version 4.6

1. New commands provided for graphical displays of electrostatic potential, electric field, and other properties.
2. Extensive minor changes to improve the logical organisation of the program. Some code rewritten, some bugs fixed.

## Version 4.5

1. Several periodic layers can be defined, and optimized independently.

## Version 4.4

1. The code for lattice summations has been rewritten, and analytical derivatives can now be calculated, making structure optimizations more efficient for clusters and adlayers on surfaces.
2. The options for optimizations, including quenching optimizations during Monte Carlo or molecular dynamics simulations, can be set in a separate OPTIONS data block and are not reset at the beginning of an optimization or simulation.

## Version 4.3

1. The direct-space part of lattice sums is carried out over cells within a specified distance of the global origin, rather than over a range of cell indices. This change makes little difference for cubic lattices, but gives better convergence in lower symmetries. The data syntax has changed as a result.
2. The syntax for specifying sites in a lattice has changed.
3. Various bug fixes.
4. The dispersion and induction damping factors can now be specified independently.
5. A better optimizer has been installed to handle cases where the energy derivatives are not available.
6. Various bugs have been fixed.

## Version 4.1

1. The program has been converted to Fortran 90 . This allows run-time allocation of arrays, so that large arrays can be allocated only when they are needed.
2. Parameters affecting array sizes (number of sites, number of molecules, etc.) can be changed at run-time. In particular, the number of polarizable sites is zero by default.
3. Improved virial coefficient routines. The dielectric virial coefficient can also be calculated.
4. The potential fitting procedures have been extended to allow fitting of dispersion energy parameters as well as repulsion.
5. The induction energy calculation should be more efficient.
6. Systems involving molecular clusters, periodic adlayers and nanocrystals adsorbed on crystal surfaces can be studied.

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